

1) A system function is  $H(s) = \frac{4(s+1)}{s^2 + 8s + 15}$ .

(a) Plot the pole/zero diagram.

(b) By the help of the pole/zero diagram, sketch the (approximate) magnitude and phase characteristics.

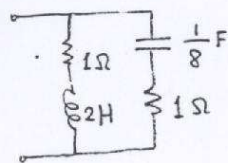
2) A transfer admittance is  $Y_T(s) = \frac{s^2 + 4}{s^2 + 7s + 9}$  V.

(a) Plot the pole/zero diagram.

(b) Sketch the magnitude and phase characteristics.

(c) Given the input  $v_1(t) = 9 + 3\cos(2t + 15^\circ) - 7\sin(3t - 69^\circ)$  V, find the steady-state output  $i_2(t)$ .

3)



(a) Obtain the input impedance  $Z(s)$ .

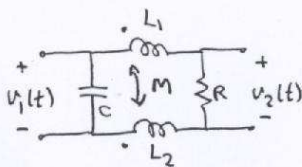
(b) Plot the pole/zero diagram.

(c) By the help of the pole/zero diagram, sketch the (approximate) magnitude and phase characteristics.

4) (a) Obtain the system function.

(b) Plot the pole/zero diagram.

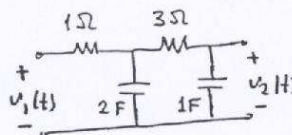
(c) Sketch the magnitude and phase characteristics.



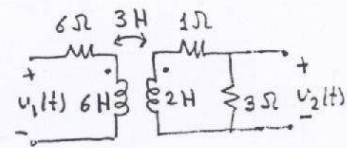
$C = 5 \text{ nF}$ ,  $R = 1 \text{ k}\Omega$

$L_1 = 60 \text{ mH}$ ,  $L_2 = 20 \text{ mH}$ ,  $M = 30 \text{ mH}$

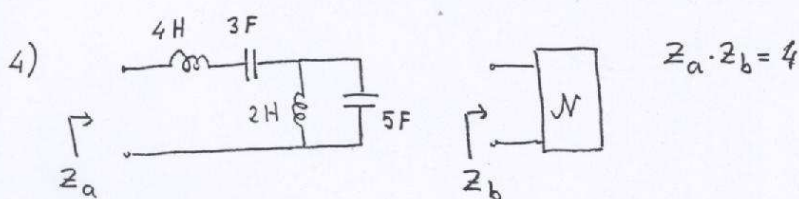
(a)



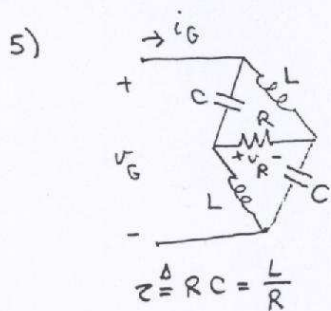
(b)



(c)



Synthesize  $N$ .

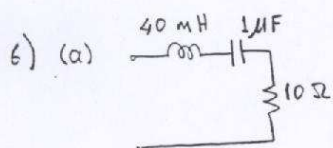


(a) Find the natural frequencies of the circuit.

(b) Obtain the transfer function  $H(s) \triangleq \frac{V_R(s)}{V_G(s)}$ .  
Plot the pole/zero diagram.  
Sketch the magnitude and phase characteristics.

(c) Repeat Part (b) for the input admittance  
 $Y(s) = \frac{I_G(s)}{V_G(s)}$

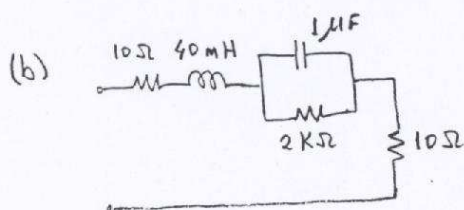
(d) What are the natural frequencies of  $v_R(t)$  and  $i_G(t)$ ?



Obtain the input admittance.

Plot the pole/zero diagram.

Sketch the magnitude and phase characteristics.



Obtain the input admittance.

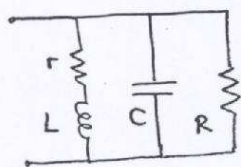
Plot the pole/zero diagram.

Find the resonant frequency  $\omega_0$ .

Sketch the approximate magnitude and phase characteristics.

(c) Let  $E$  be the total average stored energy in the one-port and  $P$  be the average power input to the one-port at  $\omega_0$ .  
Compute  $\omega_0 E / P$ . Discuss.

7)



$$R = 5 \Omega, C = \frac{1}{2} F, L = \frac{1}{8} H, r = \frac{1}{20} \Omega.$$

Obtain the input impedance.

Plot the pole/zero diagram.

Find the resonant frequency  $\omega_0$ .

Sketch the approximate magnitude and phase characteristics.

Scale the circuit so that the new value of  $R$  is  $10 k\Omega$  and the new value of  $C$  is  $1 \mu F$ .

$$8) \omega_0 \triangleq 1/\sqrt{LC}, 2\alpha \triangleq r/L, Q \triangleq \omega_0/2\alpha, R_{eq} \triangleq Q^2 r.$$

Find the resonant frequency  $\omega_0$ . Express it in terms of  $\omega_0$  and  $Q$ .

Obtain the input impedance  $Z(s)$ . Express it in terms of  $s/\omega_0$ ,  $Q$  and  $R_{eq}$ .

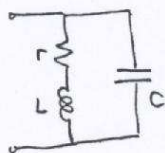
Plot the pole/zero diagram.

Sketch the approximate magnitude and phase characteristics.

Let  $E$  be the total average stored energy in the one-port and

$P$  be the average power input to the one port at  $\omega_0$ . Show that

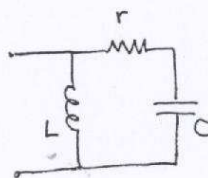
$$\frac{\omega_0 E}{P} = \hat{Q},$$



$$L = \frac{5}{2} H, r = \frac{7}{5} \Omega, C = \frac{1}{10} F$$

$$\hat{Q} = \frac{\omega_0 L}{r}$$

(a)

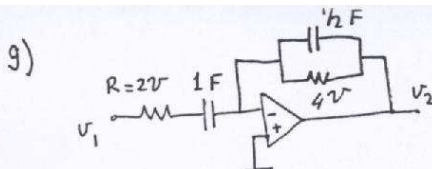


$$L = \frac{5}{2} H, r = \frac{7}{5} \Omega, C = \frac{1}{10} F$$

$$\hat{Q} = \frac{1}{\omega_0 C r}$$

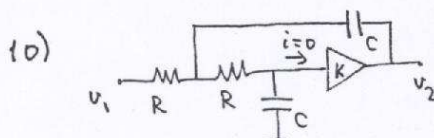
(b)





The op-amp is ideal and operates in the linear region.

- (a) Obtain the transfer function. Plot the pole/zero diagram.  
Sketch the magnitude and phase characteristics.  
(b) Scale the circuit so that the new value of  $R$  is  $10\text{ k}\Omega$  and the magnitude response peaks at  $4\text{ krad/sec}$ .

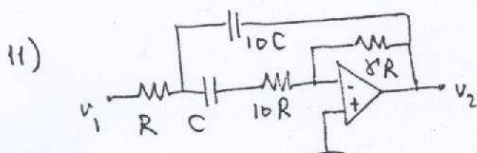


(a)  $K=2$ ,  $R=1\Omega$ ,  $C=1\text{ F}$ .

Obtain the transfer function.

(b) Scale the circuit so that  $R=10\text{ k}\Omega$  and  $C=100\text{ nF}$ .

(c) Sketch the magnitude and phase characteristics of the scaled circuit.



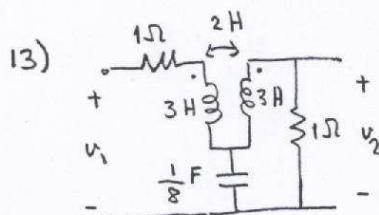
The op-amp is ideal and operates in the linear region.

$R=1\text{ k}\Omega$

- (a) Obtain the transfer function.  
(b) Design the circuit (find  $C$  and  $8R$ ) so that the circuit is a second order bandpass filter whose center frequency is  $10\text{ krad/sec}$  and half-power bandwidth is  $1\text{ krad/sec}$ .

12) Plot the pole/zero diagram. Sketch the magnitude and phase Bode plots.

(a)  $H(s) = \frac{100(s+10)}{(s+1)(s+100)}$ , (b)  $H(s) = \frac{40s^2}{(s+20)(s^2+s+4)}$ , (c)  $H(s) = \frac{s^2+100s+10^4}{(s+10)^2}$ , (d)  $H(s) = \frac{100s(s+200)}{(s+20)(s+1000)}$



Obtain the transfer function.

Plot the pole/zero diagram.

Sketch the magnitude and phase Bode plots.

Sketch the approximate magnitude and phase characteristics.