- 1. Consider the following circuit.
  - (a) Obtain the state equation.
  - (b) Find the natural frequencies of the circuit in terms of  $\beta$ .

For parts (c) and (d) take  $v_s(t) = 0$ .

- (c) Let  $\beta = 2$  and  $v_c(0) = 4$  V. Find a possible initial inductor current  $i_L(0)$  so that only a single mode is excited.
- (d) Given  $v_c(t) = \cos(\omega t) V$ , determine  $\beta$  and  $\omega$ .



2. Consider the following circuit.



- (a) Obtain the state equation.
- (b) Find the natural frequencies of the circuit.
- (c) Convert the state equation of part (a) into Laplace domain. Find the zero input solution of  $i_L(t)$  for  $i_L(0^-) = 2A$  and  $v_C(0^-) = -2V$ .
- (d) Find the particular solution of  $i_L(t)$ .

3. Consider the following circuit.



- a) Obtain the node/ modified node/ mesh equation in matrix form.
- b) Determine the natural frequencies from the mesh equation.
- c) Write the form of the homogeneous solution for  $v_x(t)$ .
- d) For  $v_{s1}(t) = 3e^{-4t}$  V,  $v_{s2}(t) = 10$  V,  $i_s(t) = 0$ , find the particular solution for  $v_x(t)$ .
- **4.** Consider the circuit below.



- a) Obtain the node equation in matrix form.
- **b)** Express the natural frequencies in terms of *K*.
- c) Determine the value of K so that the natural frequencies are purely imaginary. For this value of K, write the form of the homogeneous solution for  $v_C(t)$ .
- **d)** For K = 4 find the natural frequencies; write the form of the homogeneous solution for  $v_C(t)$ ; and find the particular solution for  $v_C(t)$ .