

ARCH 332 STRUCTURAL DESIGN IN ARCHITECTURE II

SPRING 2018



GROUP 6

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INSTRUCTORS

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SITE PLAN

SCALE: 1/100



-0.10 M

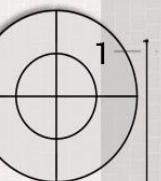
B

A B C D

1415

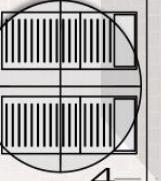


POOL



2

4

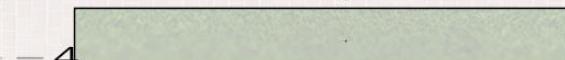


A B C D

+6.00 M

A B C D

+0.00 M



SPORT COURT

ROAD

GROUND FLOOR PLAN

SCALE: 1/100



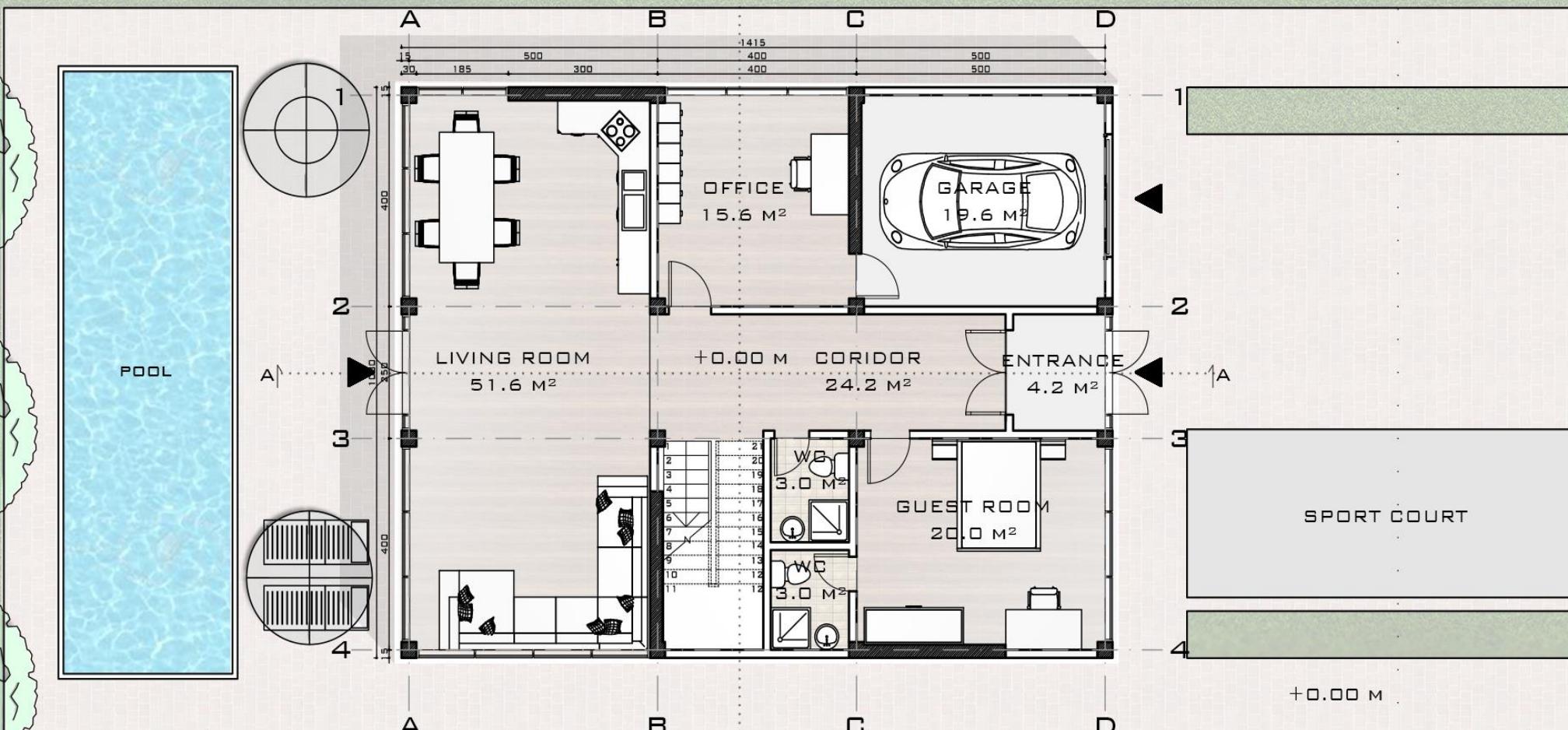
ENTRANCE 4.2M²
GARAGE 19.6M²
CORRIDOR 24.2M²
OFFICE 15.6M²
GUEST ROOM 20.0M²
WC 3.0M²
WC 3.0M²
LIVING ROOM 51.6M²
TOTAL: 144.2M²

-0.10 M

B

C

D



ROAD

B

C

D

FIRST FLOOR PLAN

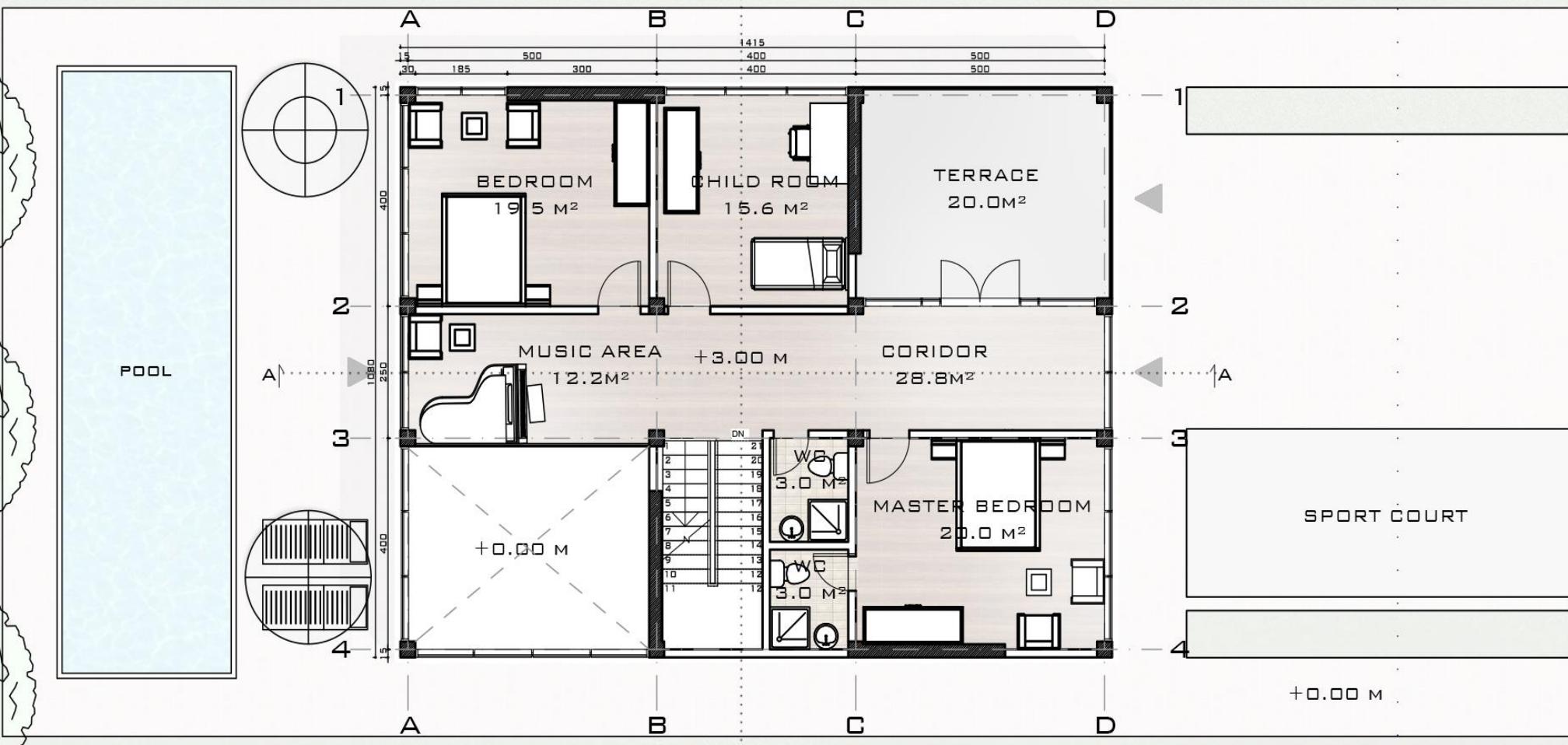
SCALE: 1/100



CORRIDOR 28.8 M²
MUSIC AREA 12.2 M²
MASTER BEDROOM 20.0 M²
BEDROOM 19.5 M²
CHILD ROOM 15.6 M²
TERRACE 20.0 M²
WC 3.0 M²
WC 3.0 M²
TOTAL: 122.1 M²

-0.10 M

B



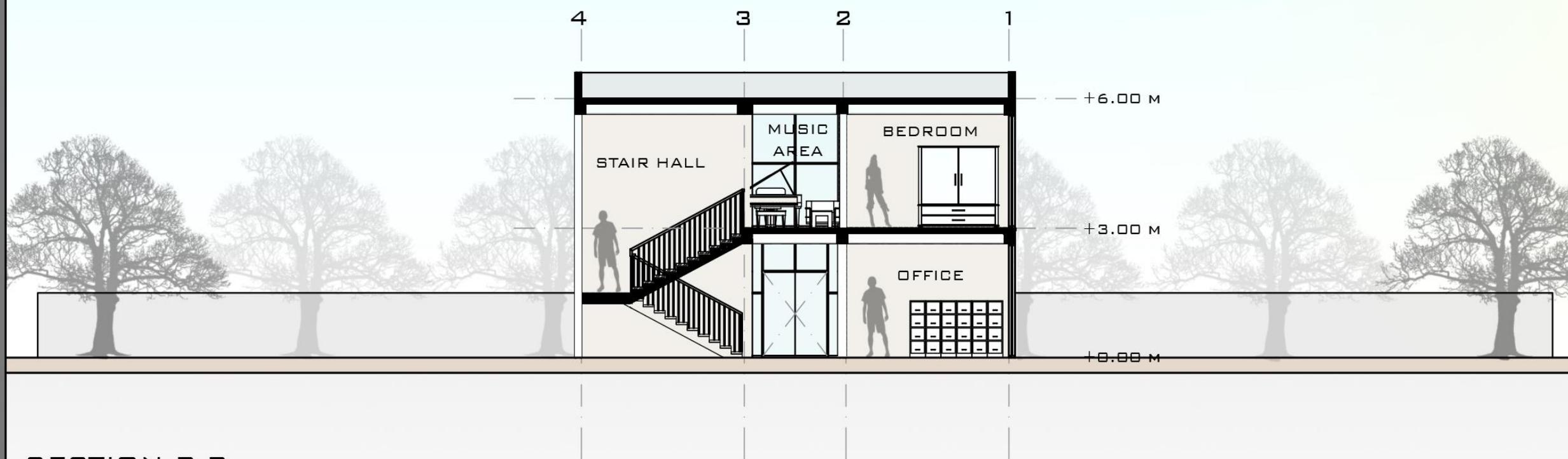
ROAD

SECTIONS

SCALE: 1/100



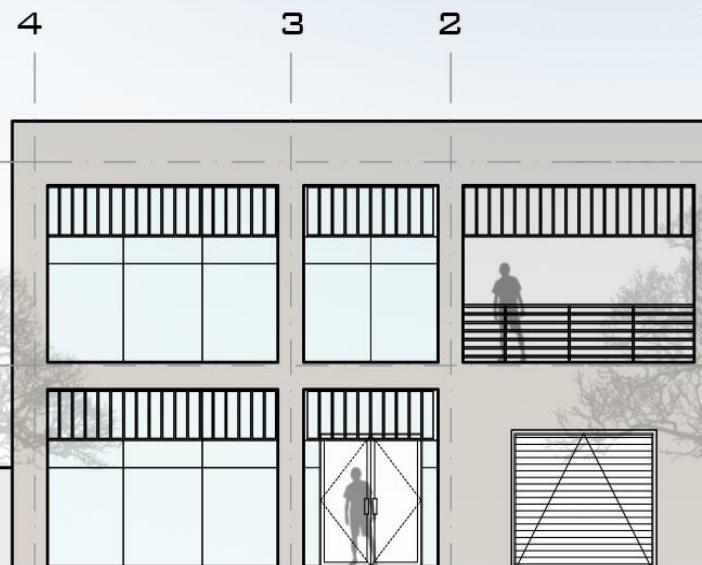
SECTION A-A



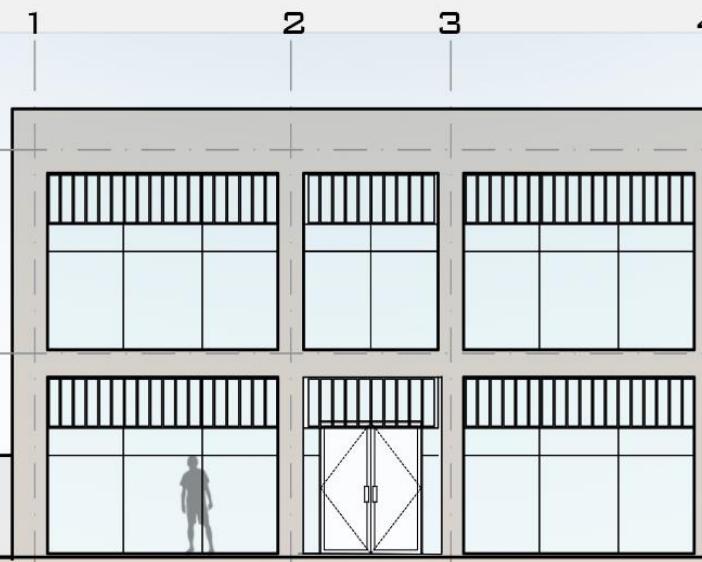
SECTION B-B

ELEVATIONS

SCALE: 1/100



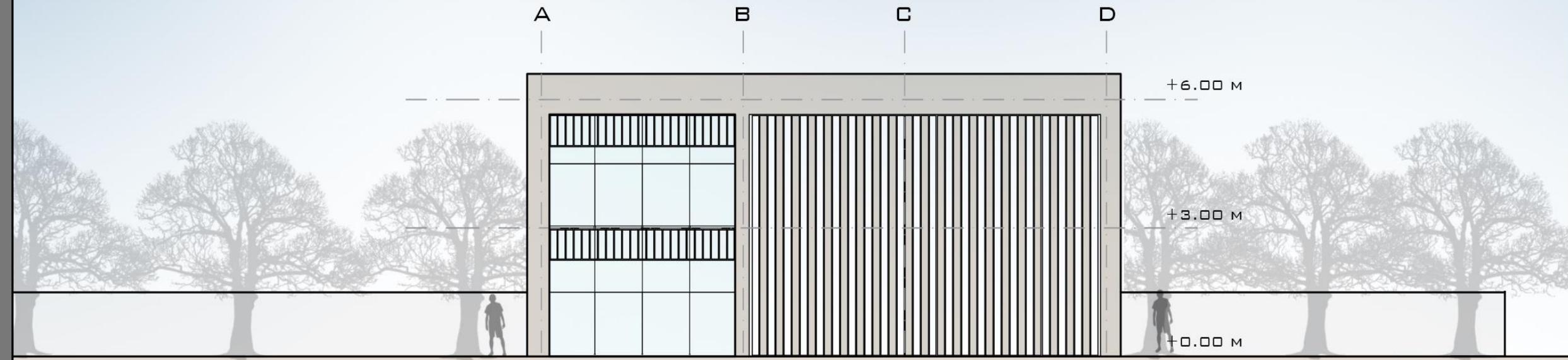
EAST ELEVATION



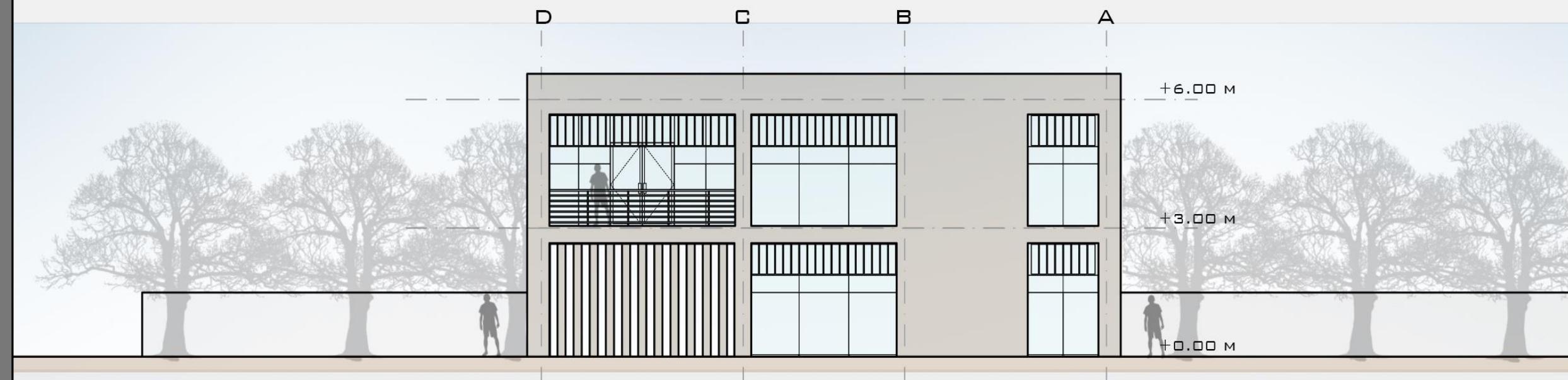
WEST ELEVATION

ELEVATIONS

SCALE: 1/100



SOUTH ELEVATION

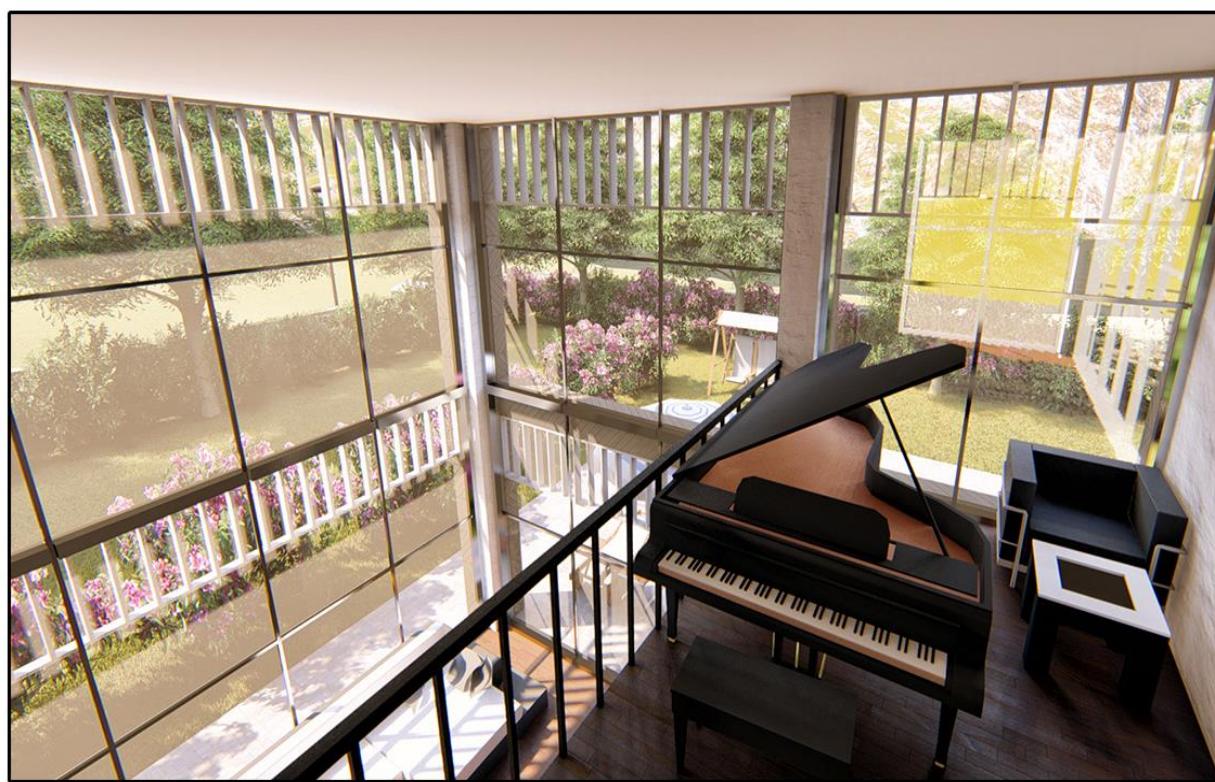


NORTH ELEVATION

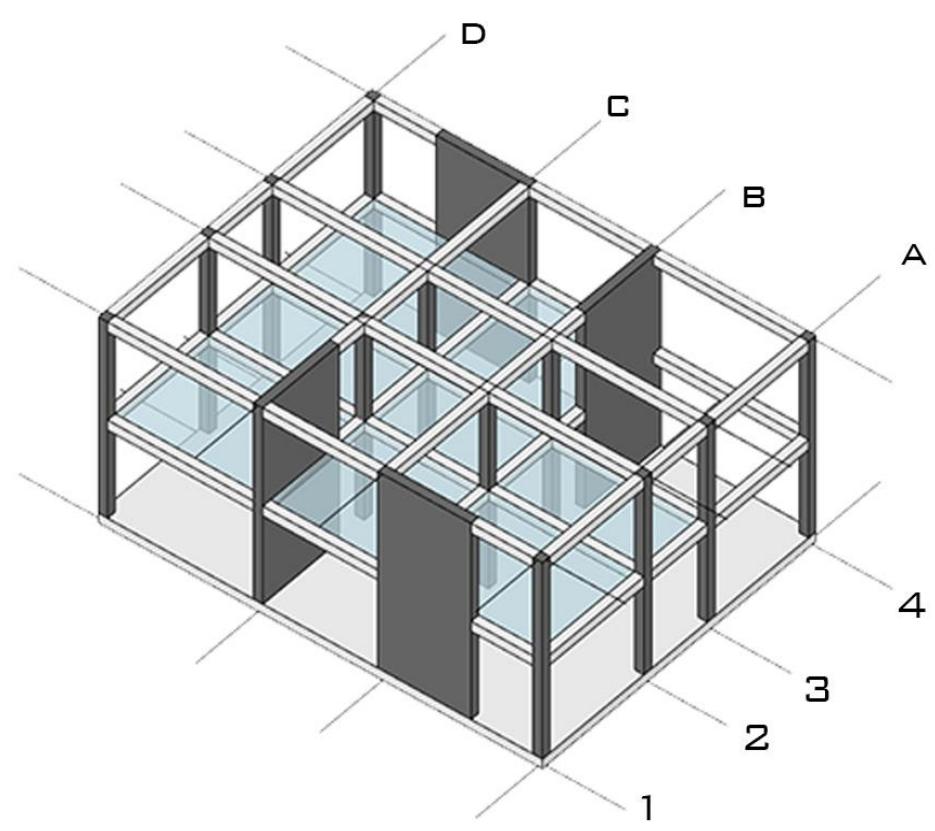
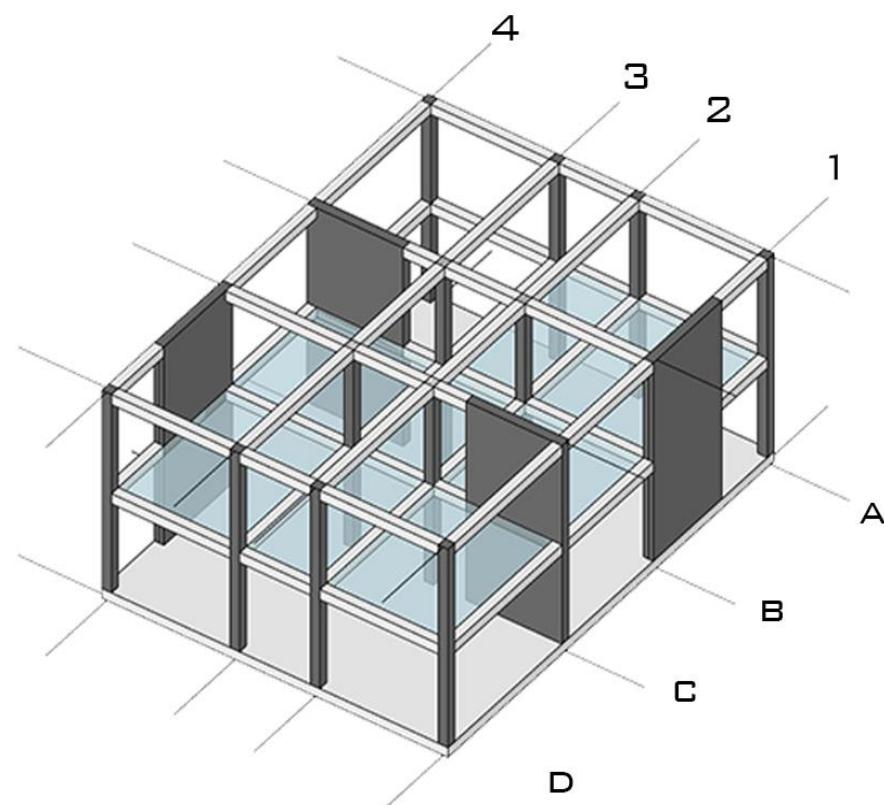
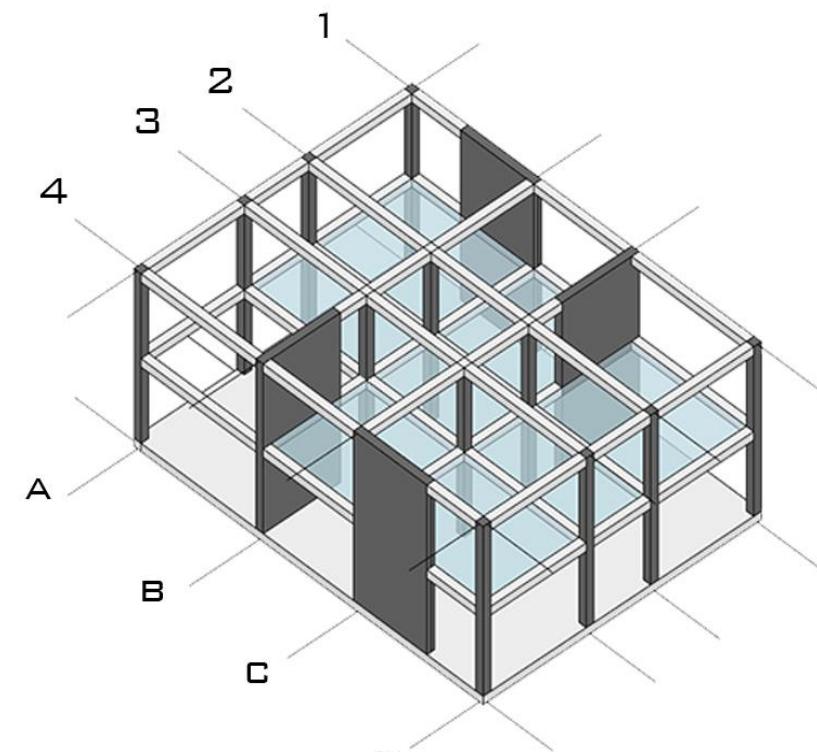
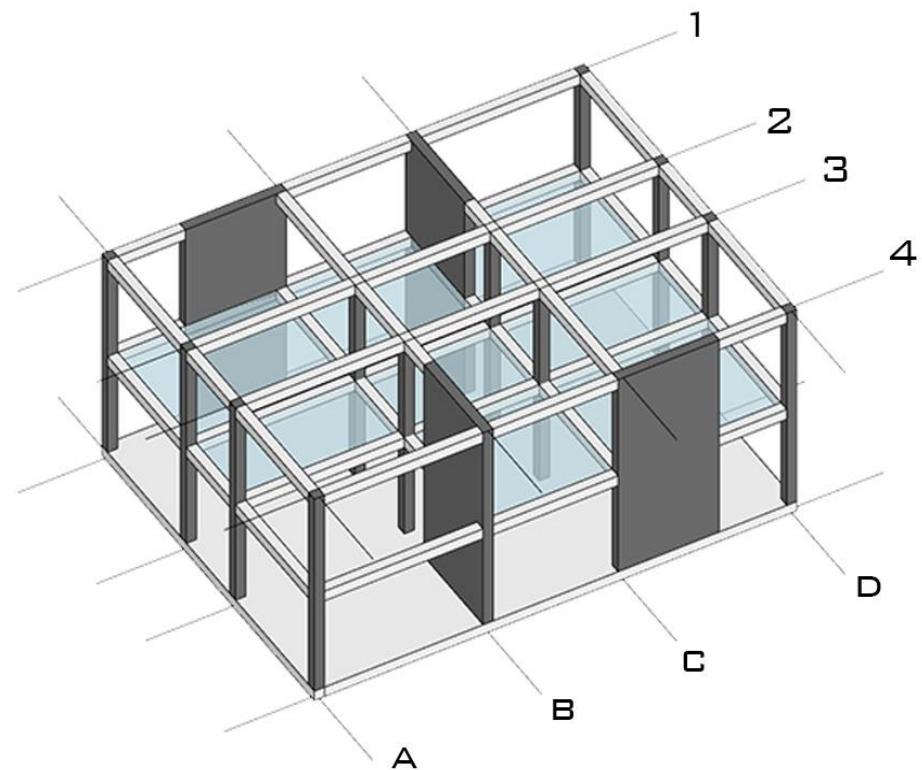
RENDERS



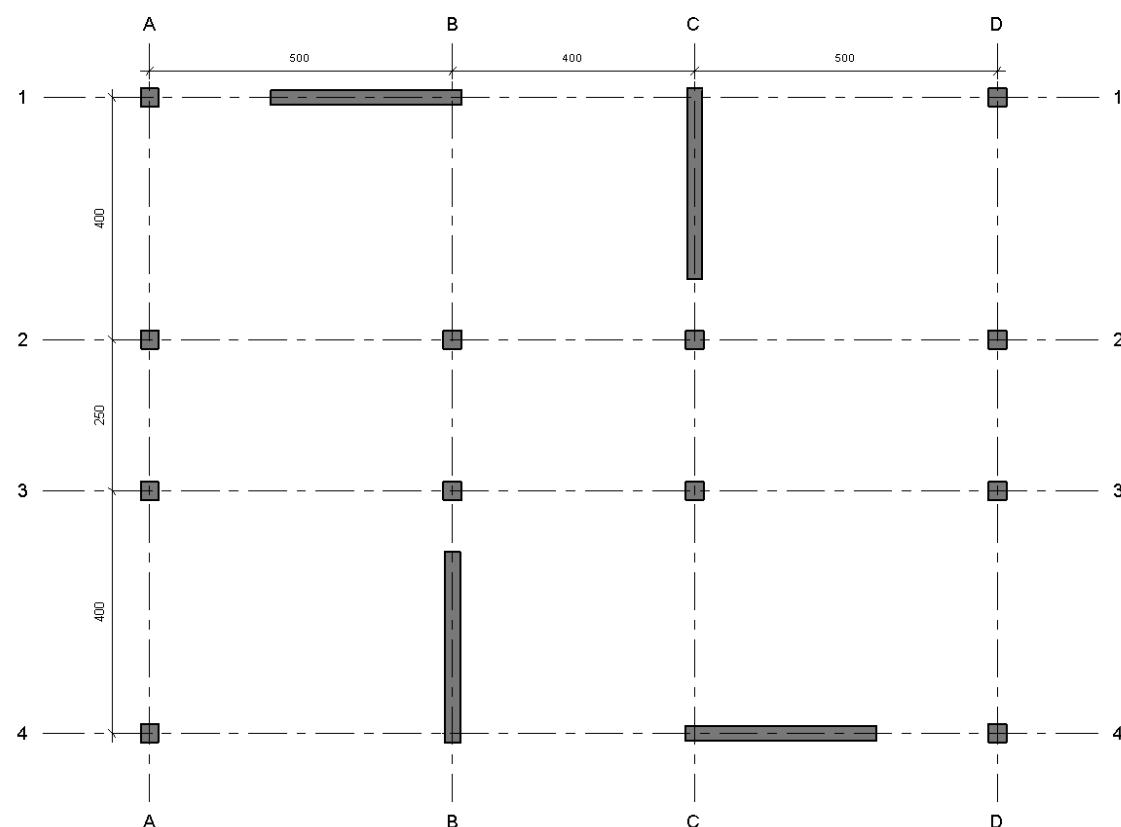
RENDERS



AXONOMETRIC DRAWING



SHEER WALL PERCENTAGE



- FLOOR AREA = 147 m^2

- X DIRECTION

- AREA OF SHEAR WALLS IN X DIRECTION:

$$SW_3 = 0,25 \times 3 = 0,75 \text{ m}^2$$

$$SW_4 = 0,25 \times 3 = 0,75 \text{ m}^2$$

- RATIO OF SHEAR WALL AREA TO FLOOR AREA ON X DIRECTION

$$1,5 \text{ m}^2 \approx \% 1$$

$$\frac{1,5}{147} \approx 0.01$$

- Y DIRECTION

- AREA OF SHEAR WALLS IN Y DIRECTION:

$$SW_1 = 0,25 \times 3 = 0,75 \text{ m}^2$$

$$SW_2 = 0,25 \times 3 = 0,75 \text{ m}^2$$

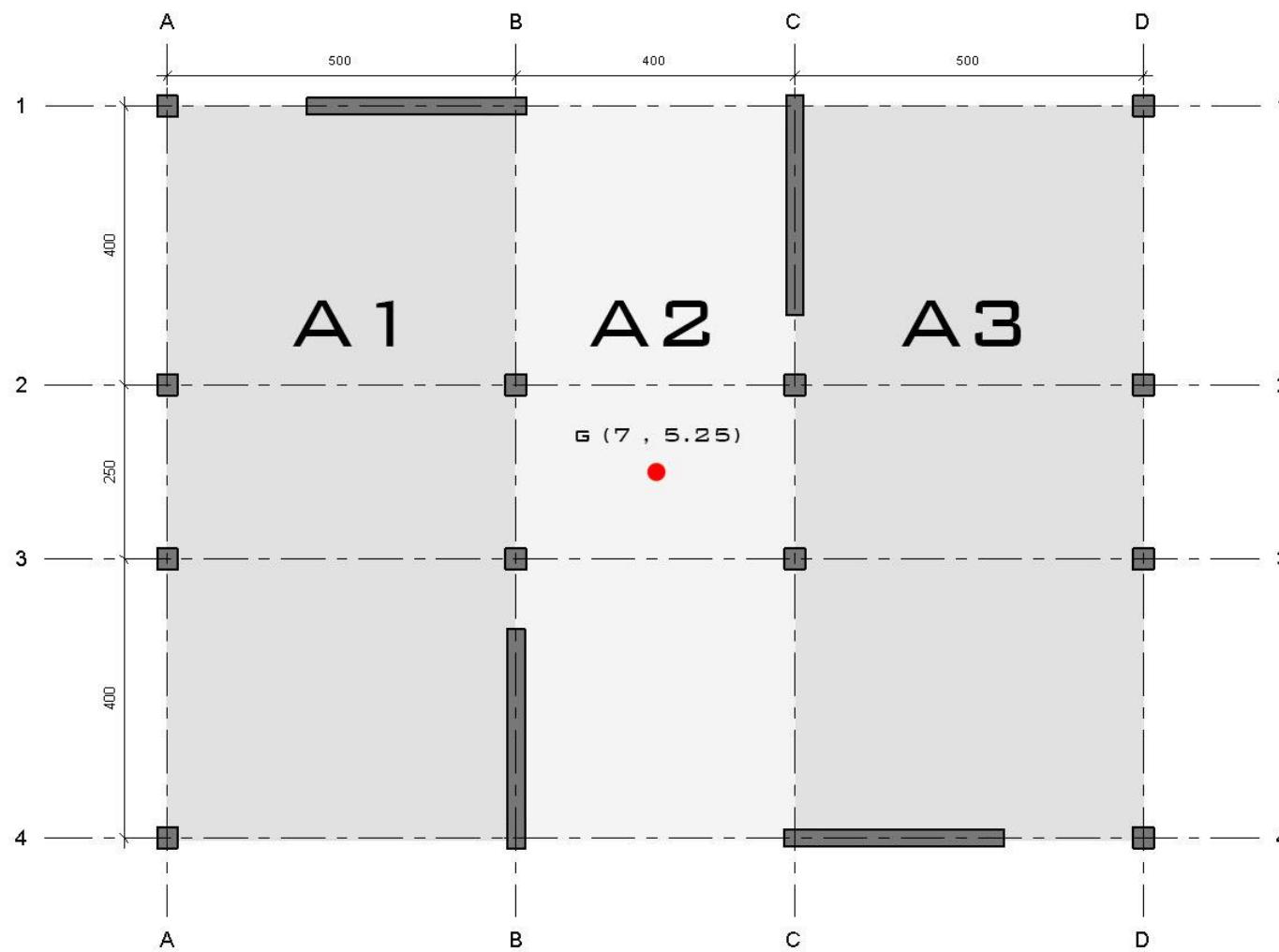
- RATIO OF SHEAR WALL AREA TO FLOOR AREA ON Y DIRECTION

$$1,5 \text{ m}^2 \approx \% 1$$

$$\frac{1,5}{147} \approx 0.01$$

- THE MINIMUM SHEAR WALL CROSS SECTIONAL AREA SHOULD BE 1 % OF THE PLAN AREA IN BOTH DIRECTION.

MASS CENTER CALCULATIONS



- $A_1 = 52.5 \text{ m}^2$

- $A_2 = 42 \text{ m}^2$

- $A_3 = 52.5 \text{ m}^2$

- **X DIRECTION**

- $$\frac{A_1 x_1 + A_2 x_2 + A_3 x_3}{A_1 + A_2 + A_3} = G_x$$

- $$\frac{(52,5 \times 2,5) + (42 \times 7) + (52,5 \times 11,5)}{52,5 + 42 + 52,5} = 7$$

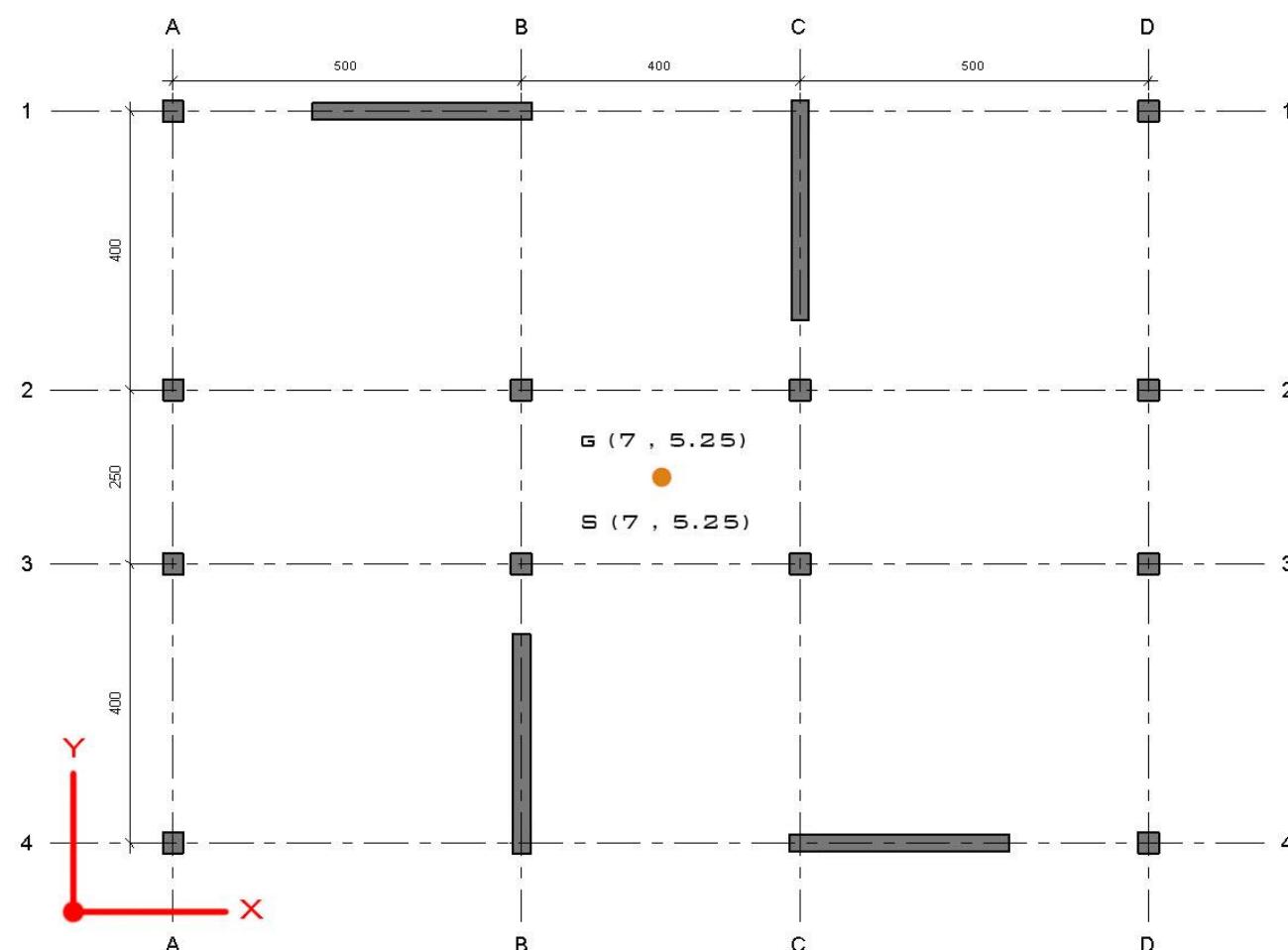
- **Y DIRECTION**

- $$\frac{A_1 y_1 + A_2 y_2 + A_3 y_3}{A_1 + A_2 + A_3} = G_y$$

- $$\frac{(52,5 \times 5,25) + (42 \times 5,25) + (52,5 \times 5,25)}{52,5 + 42 + 5,25} = 5,25$$

- **G(7, 5.25)**

STIFFNESS CENTER CALCULATIONS



- $I = \frac{1}{12} b \times h^3$

- $I_1 = I_2 = I_3 = I_4 = \frac{1}{12} \times (0.25) \cdot 3^3 = 0.5625 \text{ m}^4$

- X DIRECTION**

$$S_x = \frac{I_{x5} + I_{x9}}{I+I} = \frac{14I}{2I} = 7$$

- Y DIRECTION**

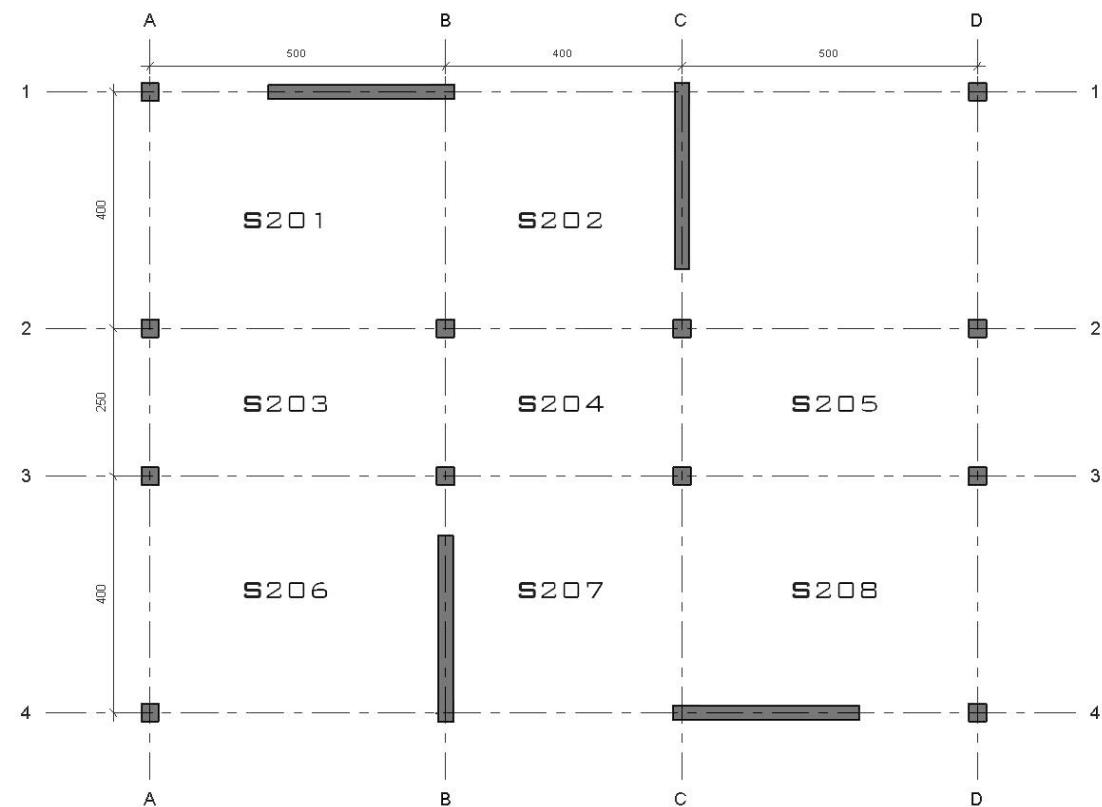
$$S_y = \frac{0xI + 10,5I}{2I} = 5.25$$

- S(7 , 5.25)**

- G(7 , 5.25)**

- NO ECCENTRICITY; STIFFNESS CENTER AND MASS CENTER COINCIDED.**

SLAB SYSTEM



AS A SLAB SYSTEM, SOLID SLAB WITH BEAMS IS SELECTED WITH THE FOLLOWING CALCULATIONS. TWO WAY SOLID SLAB SHOULD BE UTILIZED SINCE $L_L/L_s \leq 2$ FOR THESE SLABS.

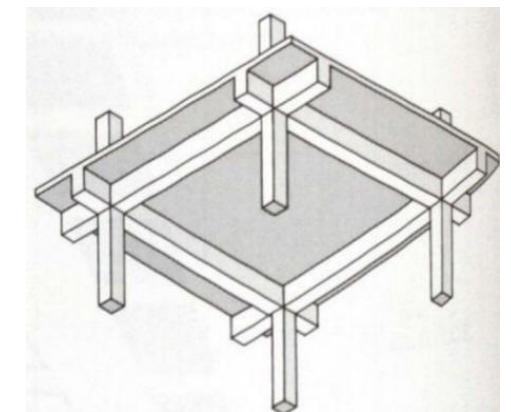
- THE MOST CRITICAL THREE SLABS WERE SELECTED AND CALCULATED AS SHOWN BELOW;

- $\alpha = \frac{\Sigma \text{length of continuous edges}}{\Sigma \text{length of all edges}}$

- $S_{201} = S_{206} = S_{208}$

- $S_{201} = \frac{5+4}{5+5+4+4} = 0.5$

- $S_{202} = \frac{4+4}{4+4+4+4} = 0.5$



- $t \geq \frac{L_s}{15 + \frac{20}{L_L/L_s}} \times (1 - \frac{\alpha}{4}) = 11.3 \text{ CM}$

- $t_{S201} = t_{S206} = t_{S208}$

- $t_{S201} \geq \frac{4}{15 + \frac{20}{\frac{5}{4}}} \times (1 - \frac{0.5}{4}) = 11.3 \text{ CM}$

- $t_{S202} \geq \frac{4}{15 + \frac{20}{\frac{4}{4}}} \times (1 - \frac{0.5}{4}) = 10 \text{ CM}$

- TO BE ON THE SAFE SIDE SLAB THICKNESS IS 12 CM.

COLUMN DIMENSIONS

- TRIBUTARY AREA & MINIMUM COLUMN AREA CALCULATIONS**
- COLUMN 2B IS SELECTED SINCE IT HAS THE LARGEST TRIBUTARY AREA WHICH CARRIES 4 SLABS AROUND ITSELF.
- TRIBUTARY AREA= $4.5 \times 3.25 = 14.625 \text{ m}^2$**

LOADS

DEAD LOADS OF SOLID SLABS

- OWN WEIGHT: $0.120 \times 2.4 = 0.30 \text{ t/m}^2$
 - LEVELING: $0.04 \times 2.4 = 0.10 \text{ t/m}^2$
 - COVERING: $0.025 \times 2.0 = 0.05 \text{ t/m}^2$
 - PLASTERING: $0.020 \times 2.0 = 0.04 \text{ t/m}^2$
- $\approx 0.50 \text{ t/m}$
 $= 5 \text{ kN/m}^2$

LIVE LOADS OF SOLID SLABS:

$0.2 \text{ t/m}^2 \approx 2 \text{ kN/m}^2$ FOR RESIDENTIAL BUILDINGS.

TOTAL LOAD = 1.4 DEAD LOAD + 1.6 LIVE LOAD = P_d

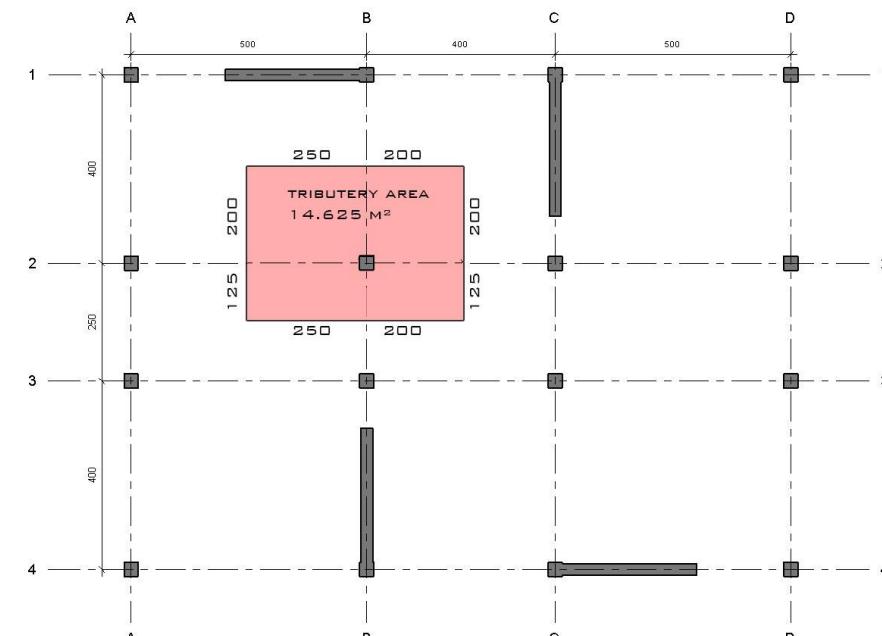
$$P_d = 1.4 \times 0.50 + 1.6 \times 0.20 = 1.0 \text{ t/m}^2 = 10 \text{ kN/m}^2$$

DEAD LOADS OF WALLS:

WALL LOAD = $0.15 \text{ t/m}^2 = 150 \text{ kg/m}^2$

$$\begin{aligned} \text{TOTAL WALL LOAD} &= 1.4 \times 0.15 \times \text{TRIBUTARY AREA} \\ &= (1.4) \times 0.15 \times 14.625 = 3.07 \text{ t} \end{aligned}$$

*NOTE: TO BE ON THE SAFE SIDE, DOOR OPENINGS WERE IGNORED.



$$\begin{aligned} \text{SLAB LOAD} &= \text{TRIBUTARY AREA} \times P_d = 1000 \text{ kg/m}^2 \times \\ &14.625 \text{ m}^2 = 14625 \text{ kg} \end{aligned}$$

$$\begin{aligned} \text{WALL LOAD} &= \text{TRIBUTARY AREA} \times 0.15 \times 1.4 = 14.625 \\ &\times 0.15 \times 1.3 = 3070 \text{ kg} \end{aligned}$$

$$\begin{aligned} \text{SLAB LOAD} &= \text{TRIBUTARY AREA} \times P_d = 1000 \text{ kg/m}^2 \times \\ &14.625 \text{ m}^2 = 14625 \text{ kg} \end{aligned}$$

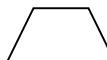
$$\begin{aligned} \text{TOTAL LOADS ON CRITICAL COLUMN IS;} \quad &2 \times \text{SLAB LOAD} \\ &+ 1 \times \text{WALL LOAD} = 2 \times 14625 + 3070 = 32320 \text{ kg} \end{aligned}$$

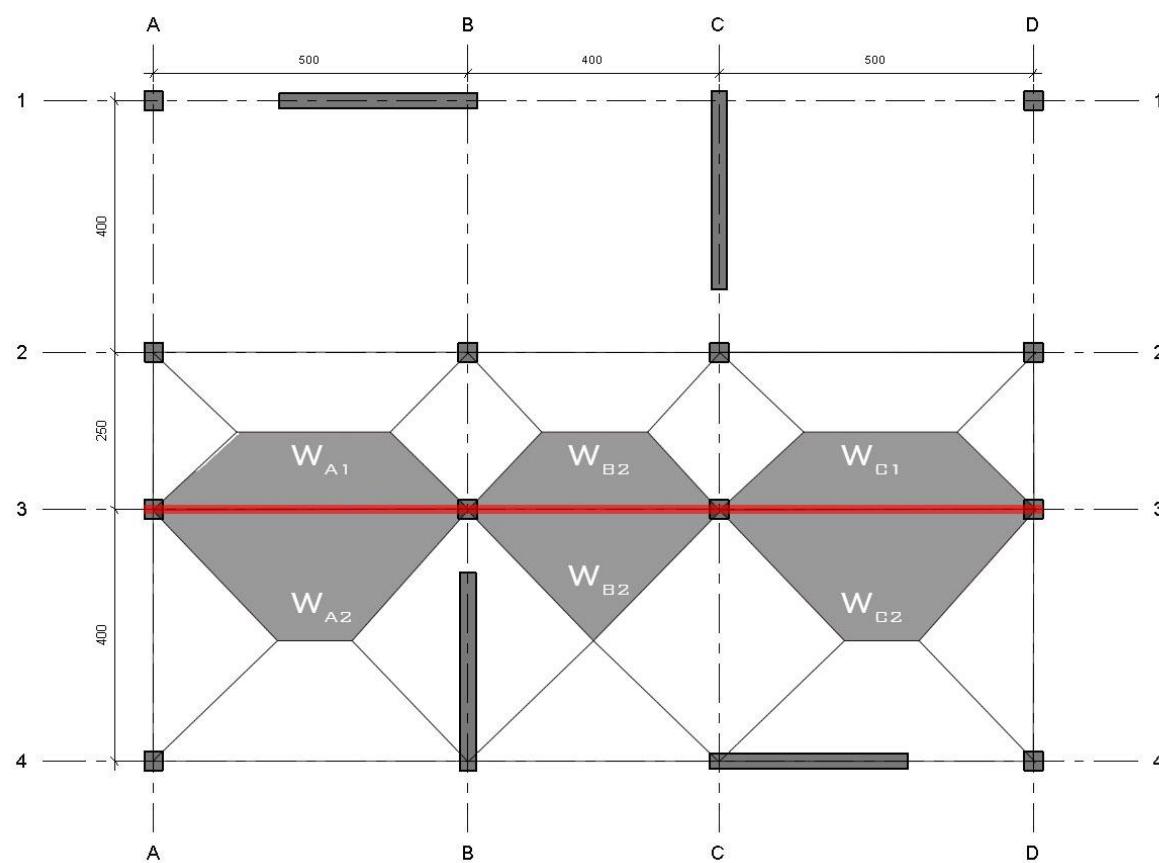
$$N_d = 32320 \text{ kg}$$

$$\begin{aligned} A_c &\geq \frac{N_d}{(0.40 \times f_{ck})} = \frac{32320}{0.40 \times 200} \\ &\text{BE MINIMUM} \\ &900 \text{ cm}^2 \end{aligned}$$

ACCORDING TO TS500 COLUMN DIMENSIONS ARE
30x30 CM

LOAD TRANSFERS

- THE BEAM ON AXIS 3 IS SELECTED TO BE ANALYZED BECAUSE IT HAS THE LEAST AMOUNT OF SHEAR WALLS AND THE LARGEST AMOUNT OF SPANS.
- SINCE ALL SLABS PROVIDE $L_L/L_s \leq 2$ CONDITION, TWO WAY SOLID SLAB IS USED.
- $P_{uni} = P_d \times \frac{l_s}{3} [1.5 - \frac{0.5}{(\frac{l_s}{l_l})^2}]$ 
- $P_{uni} = P_d \times \frac{l_s}{3}$ 



$$W_{A1} = 1 \times \frac{2.5}{3} \times [1.5 - \frac{0.5}{(\frac{5}{2.5})^2}] = 0.83 \times 1.25 \approx 1.146 \text{ T/M}$$

$$W_{A2} = 1 \times \frac{4}{3} \times [1.5 - \frac{0.5}{(\frac{5}{4})^2}] = 1.34 \times 1.18 \approx 1.573 \text{ T/M}$$

$$W_{B1} = 1 \times \frac{2.5}{3} \times [1.5 - \frac{0.5}{(\frac{4}{2.5})^2}] = 1.087 \text{ T/M}$$

$$W_{B2} = 1 \times \frac{4}{3} = 1.33 \text{ T/M}$$

$$W_{C1} = W_{A1} = 1.146 \text{ T/M}$$

$$W_{C2} = W_{A2} = 1.573 \text{ T/M}$$

FLOOR TO FLOOR HEIGHT=3M & ASSUMED BEAM
DEPTH=500/12=42CM

WALL HEIGHT=3.00-0.42=2.58 M

DISTRIBUTED WALL LOAD ON BEAM= WALL HEIGHT X WALL
LOAD X DEAD LOAD FACTOR

$$= 2.58 \times 0.15 \times 1.4 = 0.54 \text{ T/M}$$

BEAM'S OWN WEIGHT=VOLUME OF BEAM X UNIT WEIGHT OF RC X
DEAD LOAD FACTOR $W_{BeamA} = W_{BeamC} =$
 $(0.42 \times 0.30 \times 5) \times 2.4 \times 1.4 = 2.12 \text{ T}$ $2.12 \text{ T} / 5\text{M} = 0.42 \text{ T/M}$

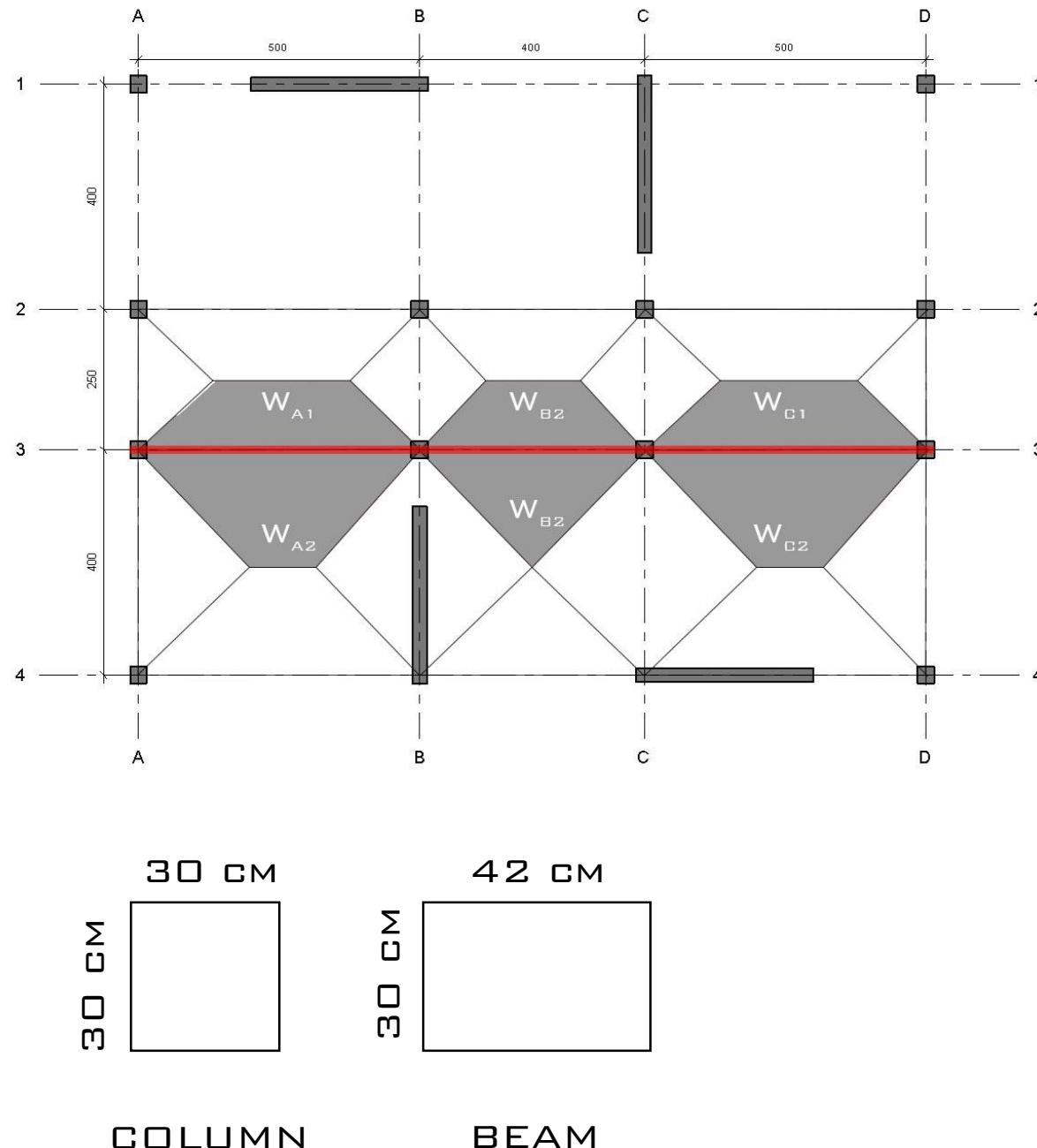
$W_{BeamB} = (0.42 \times 0.30 \times 4) \times 2.4 \times 1.4 = 1.69 \text{ T}$ $1.69 \text{ T} / 4\text{M} = 0.42 \text{ T/M}$

$$W_{A-total} = 2.72 + 0.54 + 0.42 = 3.68 \text{ T/M}$$

$$W_{B-total} = 2.42 + 0.54 + 0.42 = 3.38 \text{ T/M}$$

$$W_{C-total} = 2.72 + 0.54 + 0.42 = 3.68 \text{ T/M}$$

MOMENT OF INERTIA AND LOAD DISTRIBUTION FACTORS



- BEAM APPROXIMATION: $H = \frac{l}{12} = \frac{5}{12} = 0.42 \text{ CM}$

- $I = \frac{1}{12} \times A \times H^3$

$$I_{\text{column}} = \frac{1}{12} \times (0.3)^3 \times (0.3) = 0.000675 \text{ M}^4$$

$$I_{\text{beam}} = \frac{1}{12} \times (0.42)^3 \times 0.3 = 0.00185 \text{ M}^4$$

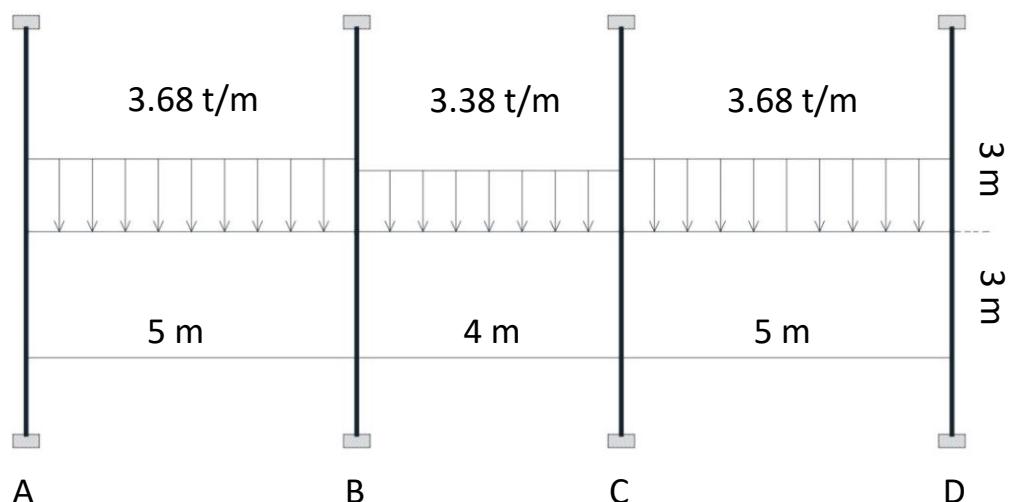
- $r = \frac{I/L}{\sum I/L}$

$$r_{AB} = r_{DC} = \frac{\frac{0.00185}{5}}{\frac{0.00185}{5} + \frac{0.000675}{3} \times 2} = \frac{0.00037}{0.00037 + 0.00045} = 0.45$$

$$r_{BA} = r_{CD} = \frac{\frac{0.00185}{5}}{\frac{0.00185}{5} + \frac{0.00185}{4} + \frac{0.000675}{3} \times 2} = \frac{0.00037}{0.00037 + 0.00045 + 0.00046} = 0.29$$

$$r_{BC} = r_{CB} = \frac{\frac{0.00185}{4}}{\frac{0.00185}{5} + \frac{0.00185}{4} + \frac{0.000675}{3} \times 2} = 0.36$$

TWO CYCLE METHOD AND BEAM DEPTH



$$FEM_{AB-CD} = \frac{3.68 \times (5)^2}{12} = 7.67 \text{ tm} \quad FEM_{BC} = \frac{3.38 \times (4)^2}{12} = 4.51 \text{ tm}$$

$$\text{Midspan Moment}_{AB-CD} = \frac{3.68 \times (5)^2}{24} = 3.83 \text{ tm}$$

$$\text{Midspan Moment}_{BC} = \frac{3.38 \times (4)^2}{24} = 2.25 \text{ tm}$$

MIDSPAN MOMENT CALCULATIONS;

- $7.67 - 4.47 = 3.2, 7.82 - 7.67 = 0.15$
 $3.2 - 0.15 = 3.05, 3.05 : 2 = 1.525 ; 3.83 + 1.525 = 5.36 \text{ tm}$
- $5.91 - 4.51 = 1.4, 5.91 - 4.51 = 1.4$
 $1.4 + 1.4 = 2.8, 2.8 : 2 = 1.4 ; 2.25 - 1.4 = 0.85 \text{ tm}$

BEAM DEPTH

- $K_o = \frac{bw \times d^2}{M_d}$ $K_o = 25 \text{ cm}^2/\text{t}$ $bw = 30 \text{ cm}$
 $M_{\max} = 7.82 \text{ tm} = 782 \text{ tc}$
- $25 = \frac{30 \times d^2}{782}$ $d = 25.53 = 26 \text{ cm}, h > d + 5, h > 31 \text{ cm}$
- SINCE THE BEAM DEPTH SHOULD BE THREE TIMES LARGER THAN THE SLAB THICKNESS, MINIMUM DEPTH IS $12 \times 3 = 36 \text{ cm}$. $36 > 30 \text{ cm}$. THEN MINIMUM BEAM DEPTH IS 36 CM.

