

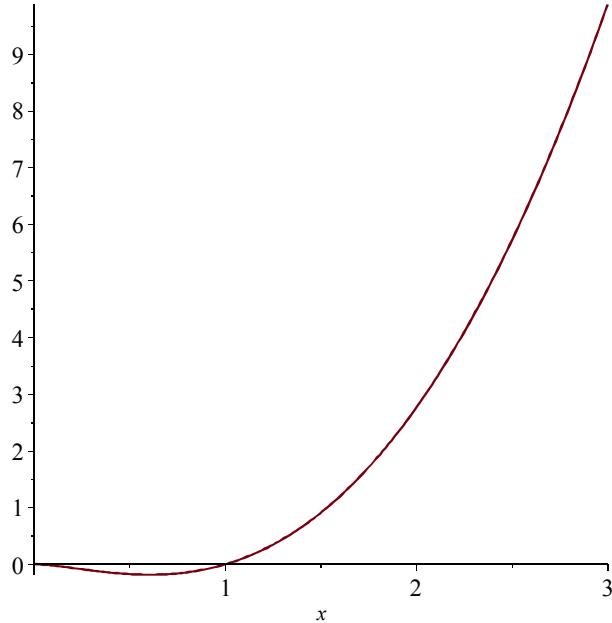
```

> # Prof. Dr. Serkan Dağ
# ME 310 Numerical Methods
# File 10.1
# Integration commands in MAPLE
> restart :
Digits := 16 :
> # Define the function to be integrated
> f:=x^2·ln(x);

```

$$f:=x^2 \ln(x)$$

```
> plot(f,x=0..3);
```



(1)

```
> # Indefinite integration
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```
> int(f,x);
```

$$\frac{1}{3} x^3 \ln(x) - \frac{1}{9} x^3$$

```
> # Definite integration
```

First tries to find the closed form expression then substitutes the integration limits
Symbolic integration is used if the limits are not floating-point numbers

```
> int(f,x=1..3);
```

$$-\frac{26}{9} + 9 \ln(3)$$

(3)

```

> # Definite integration
# Directly applies a numerical method without trying to find the closed form expression
> evalf(Int(f,x=1..3));
6.998621709124098

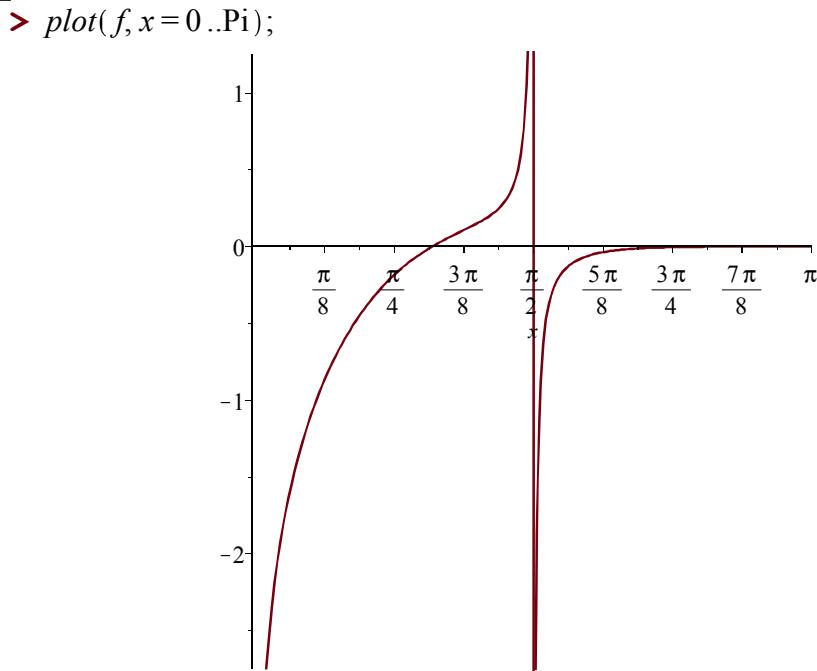
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(4)

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> # Consider a different function
> restart:
Digits := 16:
> f := exp(-x^2) · ln(x):
f :=  $\frac{e^{-x^2} \ln(x)}{\cos(x)}$ 

```

(5)


```

> # Indefinite integration
> int(f,x);

$$\int \frac{e^{-x^2} \ln(x)}{\cos(x)} dx$$


```

(6)

```

> # Cannot return the closed-form expression
> # Definite integration

```

$$> \text{int}\left(f, x = \frac{\text{Pi}}{6} \dots \frac{\text{Pi}}{3}\right);$$

$$\int_{\frac{1}{6}\pi}^{\frac{1}{3}\pi} \frac{e^{-x^2} \ln(x)}{\cos(x)} dx \quad (7)$$

> # Didnot return the result because closed-form expression is not known

$$> \text{evalf}\left(\text{Int}\left(f, x = \frac{\text{Pi}}{6} \dots \frac{\text{Pi}}{3}\right)\right);$$

$$-0.1111004588770046 \quad (8)$$

> # Integral is evaluated numerically

>