# YOUR PROJECT TOPIC 

YOUR NAME

Abstract. Write a brief summary of your paper here.

## Introduction

Make an introduction. Tell what you will do in the sections of your paper.

## 1. First section

You can give an equation like this

$$
\alpha=\left\{\begin{array}{cl}
\frac{\sqrt{d_{K}}}{2} & \text { if } d_{K} \equiv 0  \tag{1.1}\\
\frac{\sqrt{d_{K}+1}}{2} & \text { otherwise }
\end{array}\right.
$$

This element $\alpha$ is an algebraic integer since it is a root of a monic polynomial with integer coefficients.

Theorem 1.1. Let $K$ be a quadratic extension and let $w=\left(\sqrt{d_{K}}+d_{K}\right) / 2$. Then

$$
\mathcal{O}_{K}=\mathbf{Z}[w] .
$$

Proof. A proof this can be found in [3, Chap. 2]. Or you can refer to the previous equations such as the equation (1.1). Do this by labels not with numbers!

Observe that we can define $\mathrm{LAT}_{\mathrm{E}} \mathrm{Xcommands}$ in the beginning of our tex file not to repeat common expressions. For example we can use $\backslash \mathrm{ok}$, instead of the longer expression $\backslash$ mathcal $\{\mathrm{O}\} \_\mathrm{K}$. Please analyse the file sample.tex.

## 2. SECOND SECTION

You can refer to you previous results by labels as well. For example, a corollary of Theorem 1.1 is the following.

Corollary 2.1. Any quadratic extension has a power basis.

## 3. Third section

This an another section. After this section you see the bibliography. Each item has a label too. Please add your own references. You may use mathscinet.

## References

1. K. Ireland, M. Rosen, A Classical Introduction to Modern Number Theory. Second edition. Graduate Texts in Mathematics, 84. Springer-Verlag, New York, 1990.
2. S. Lang, Elliptic Functions. Second edition. Graduate Texts in Mathematics, 112. SpringerVerlag, New York, 1987.
3. D. A. Marcus, Number fields. Universitext. Springer-Verlag, New York-Heidelberg, 1977.
4. L. C. Washington, Introduction to cyclotomic fields. Second edition. Graduate Texts in Mathematics, 83. Springer-Verlag, New York, 1997.
