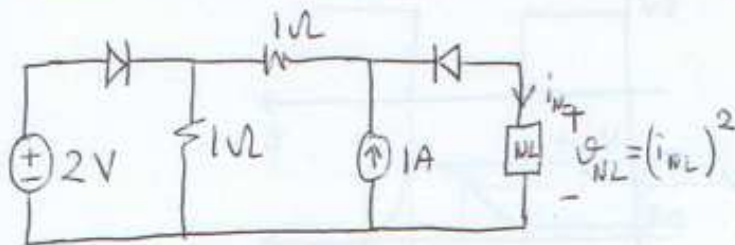
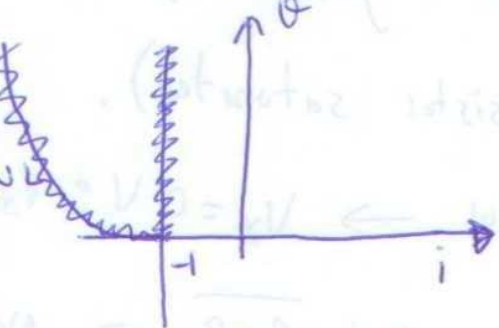
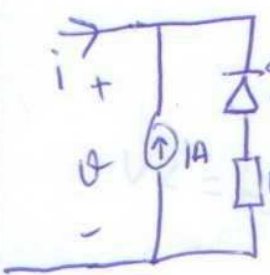
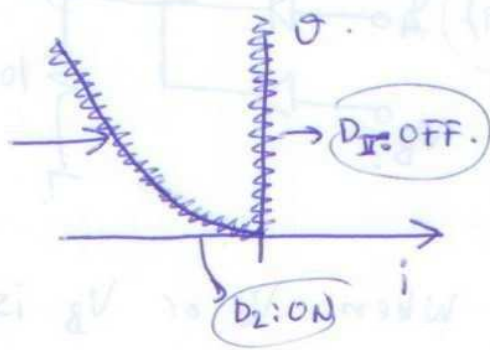
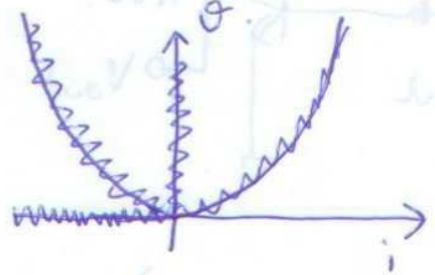
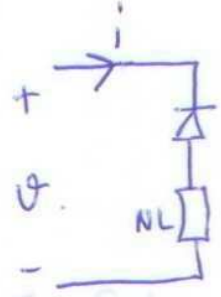
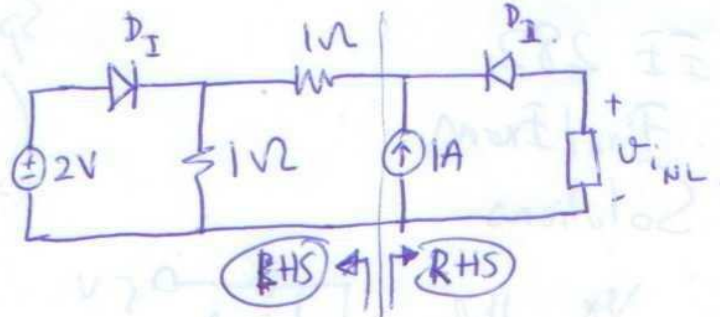


②

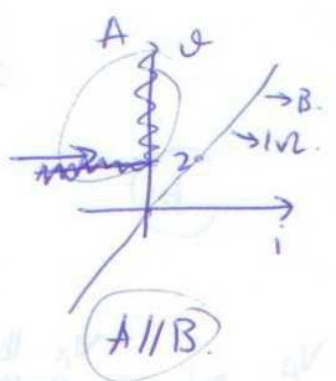
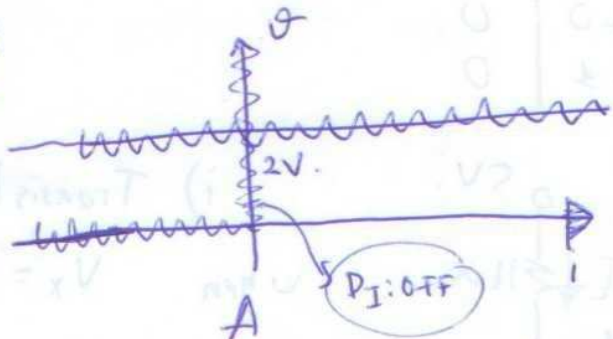
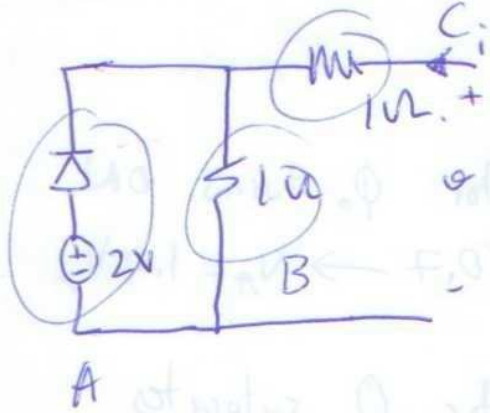


The block shown with NL indicates a non-linear load with transfer function  $\mathcal{G}_{NL} = (i_{NL})^2$ . Find  $\mathcal{G}_{NL}$ .

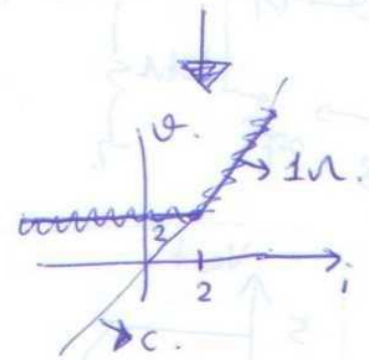
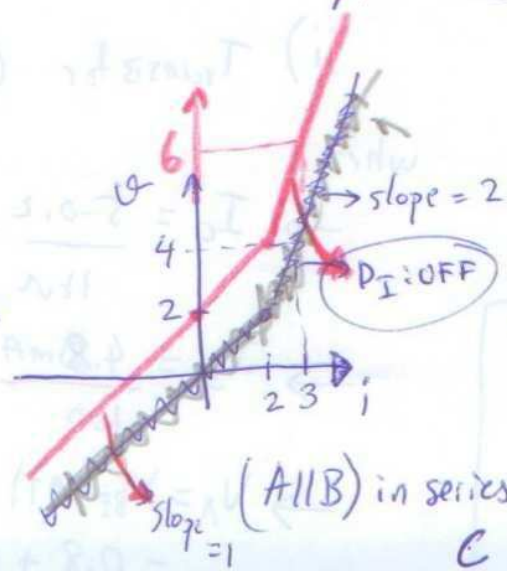
(2)  
+20



~~RHS~~ RHS

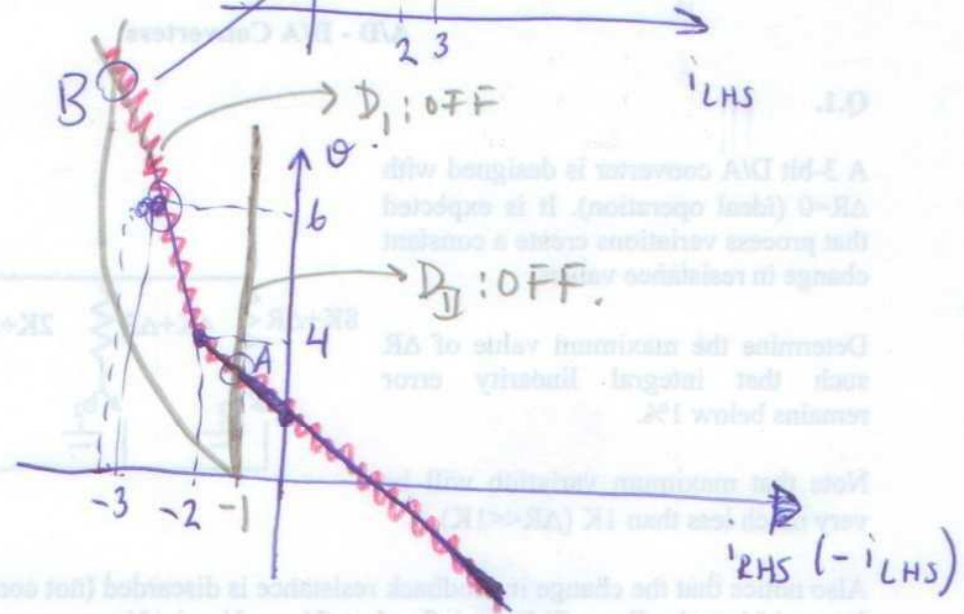
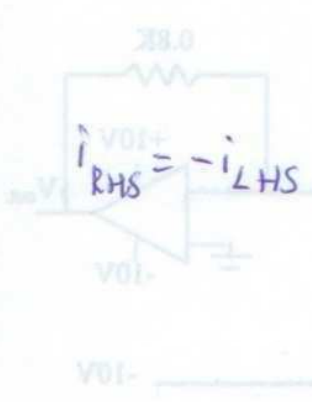
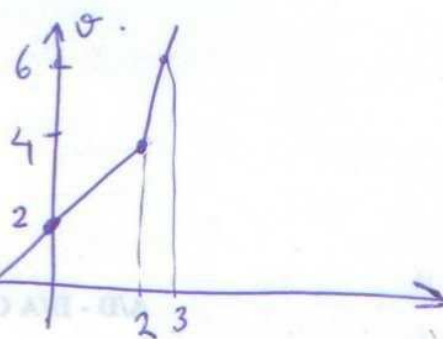
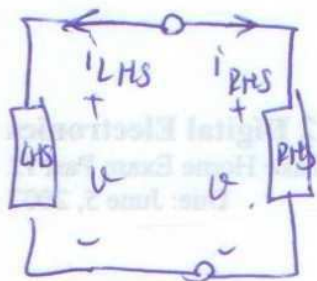


LEHS



(A // B) in series with C

(2) cont.



Two Solutions:

(A)  $D_1: ON ; D_2: OFF \rightarrow$  (point A.)

$$v = 3 \text{ Volt. ; } i = -1 \text{ A.}$$

then.

$$v_{NL} = 0 \text{ V ;}$$

(B)  $D_1: OFF ; D_2: ON$  (point B).

$$\hookrightarrow v = (i+1)^2 \text{ intersects. } v = 2i_{RHS}$$

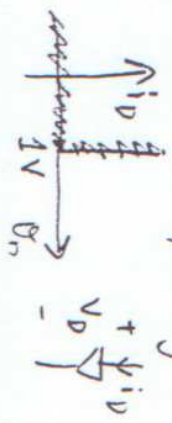
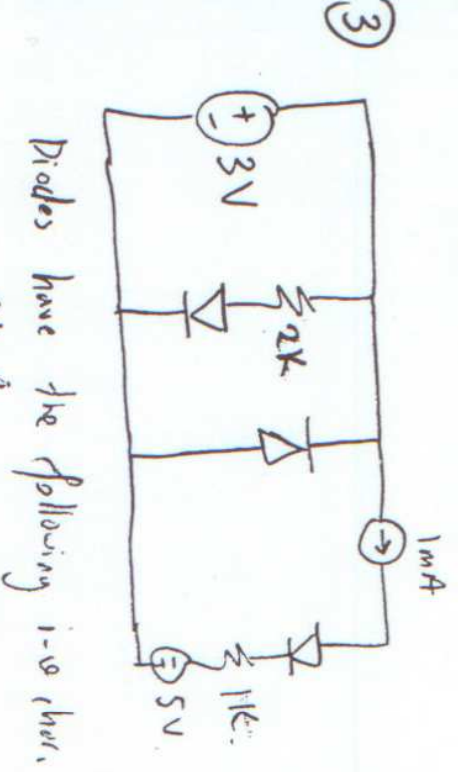
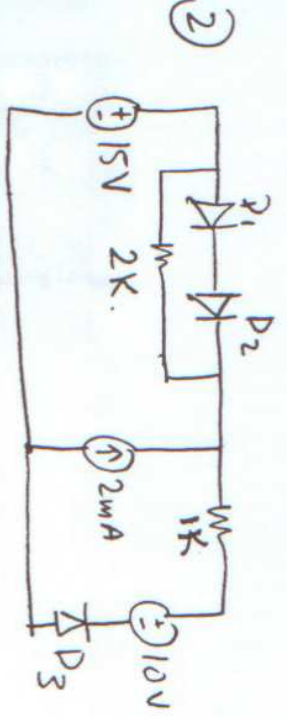
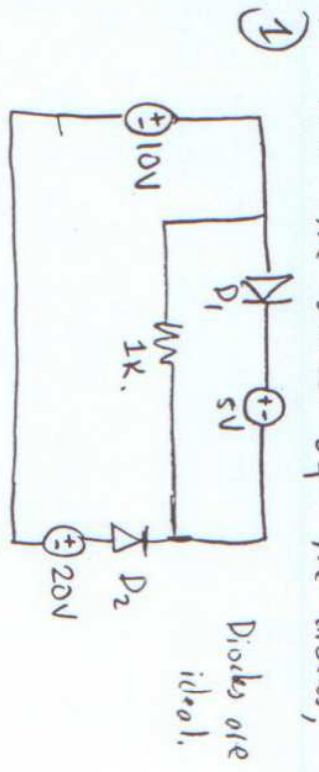
$$(i_{RHS} + 1)^2 = -2i_{RHS} \rightarrow i_{RHS}^2 + 4i_{RHS} + 1 = 0$$

$$i_{RHS} = \frac{-4 \pm \sqrt{12}}{2}$$

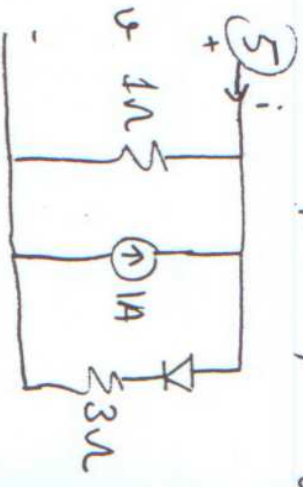
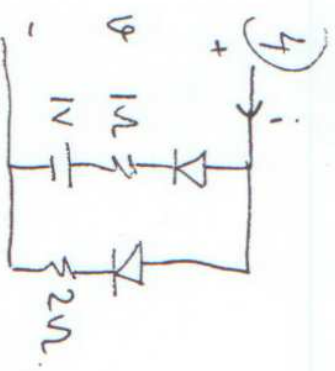
then  $i_{RHS} = -2 - \frac{\sqrt{12}}{2}$   $v_{NL} = +4 + \sqrt{12}$



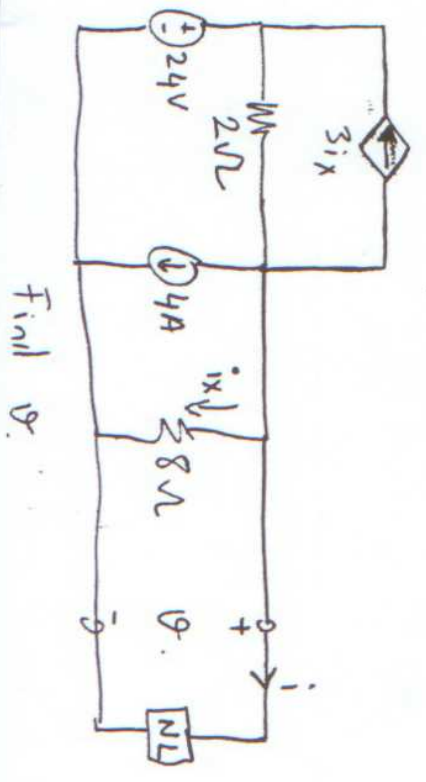
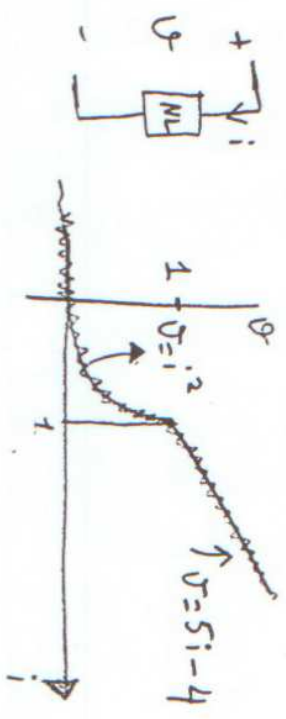
Find the states of the diodes,

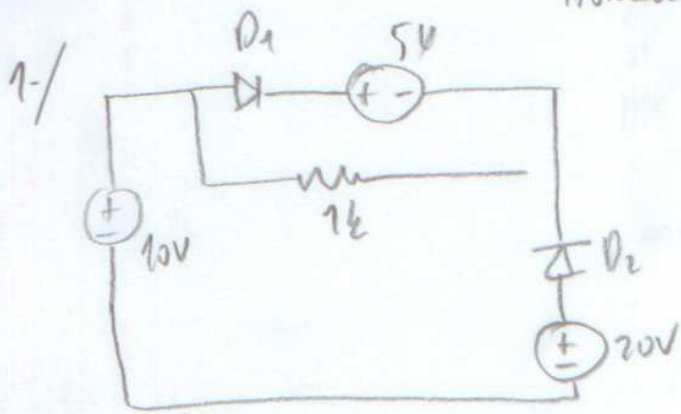


Find i-v characteristics of the following.



⑥ The following Non-linear component has the i-v characteristic as follows.





assume that  $D_1 = \text{OFF}$   
 $D_2 = \text{ON}$

$V_1 < 0, i_1 > 0$  should satisfy

$$V_1 = 10 - 25 = -15V < 0$$

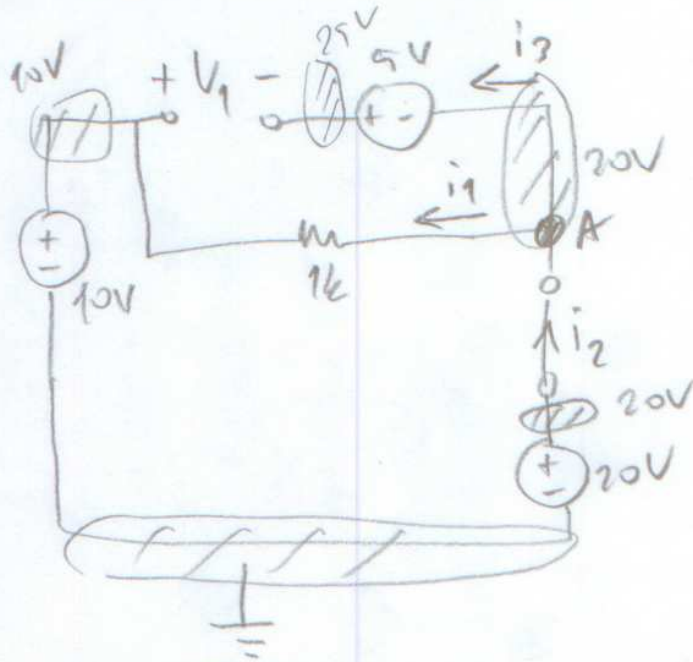
✓

KCL at A

$$i_1 + i_3 = i_2$$

$$i_3 = 0, i_1 = \frac{20 - 10}{1}$$

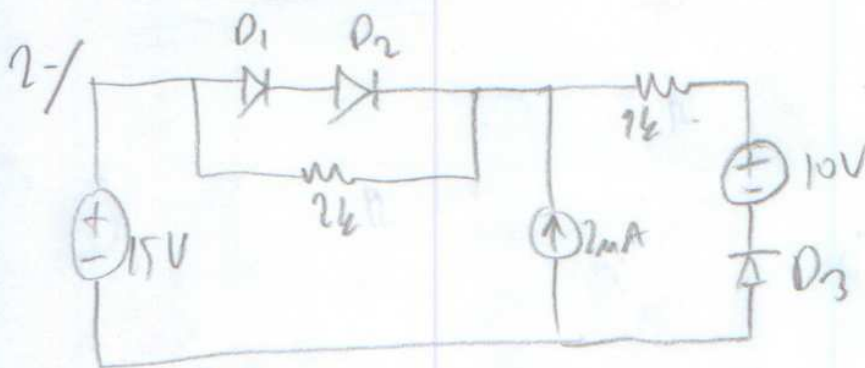
$$i_1 = 10 \text{ mA}$$



$$i_2 = 20 \text{ mA} > 0$$

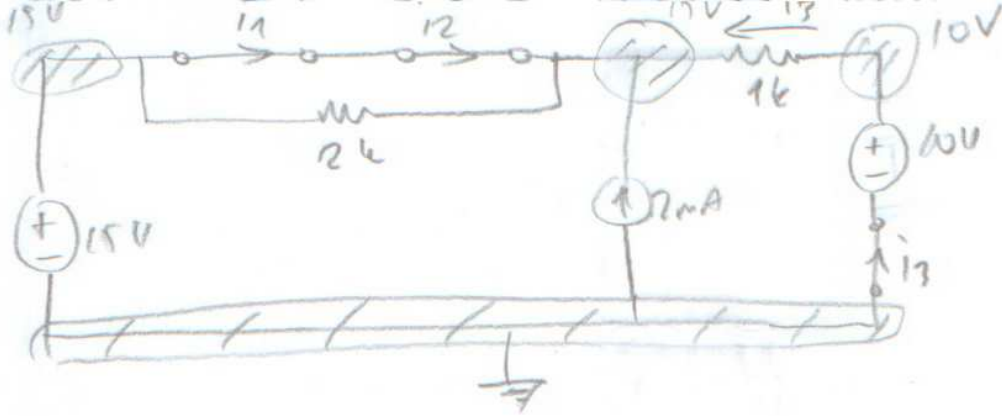
✓

the assumption is correct



assume  $D_1 = \text{ON}, D_2 = \text{ON}, D_3 = \text{ON}$

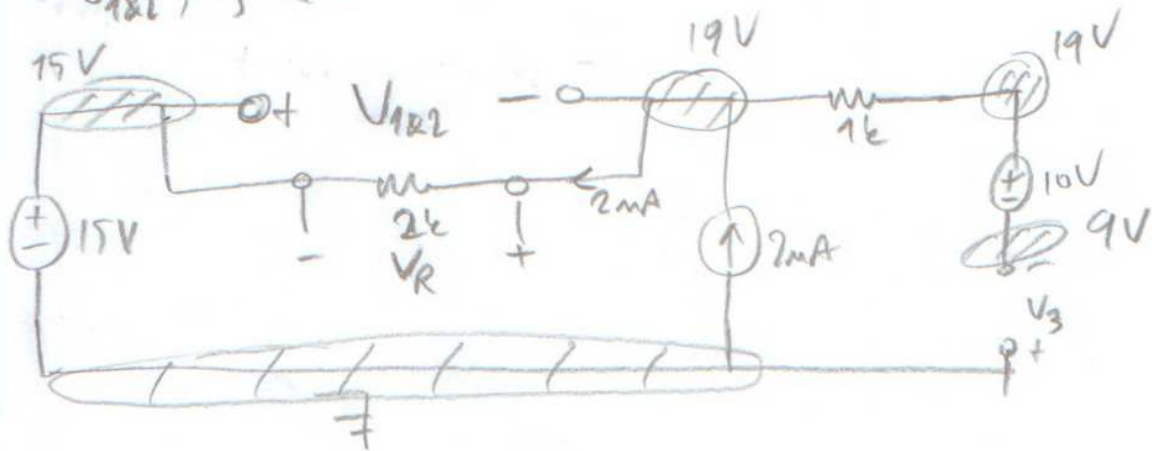
$i_1, i_2, i_3 > 0$  should satisfy according to our assumption



$$i_3 = \frac{10 - 15}{1} = -5 \text{ mA} < 0 \quad \times \quad \text{assumption is not satisfied}$$

assume ②  $D_1$ : OFF,  $D_2$ : OFF,  $D_3$ : OFF

$V_{1k2}, V_3 < 0$  should satisfy



\*  $D_1$  and  $D_2$  behaves like just one diode

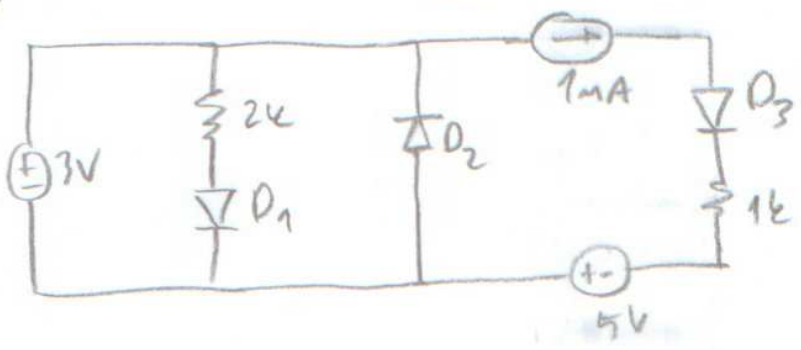
$$\left. \begin{aligned} V_3 &= 0 - 9 = -9 \text{ V} < 0 \quad \checkmark \\ V_{1k2} &= 15 - 19 = -4 \text{ V} < 0 \quad \checkmark \end{aligned} \right\} \text{So our assumption is correct}$$

$D_1$  &  $D_2$  combination should have an open circuit b/w 15V & 19V nodes

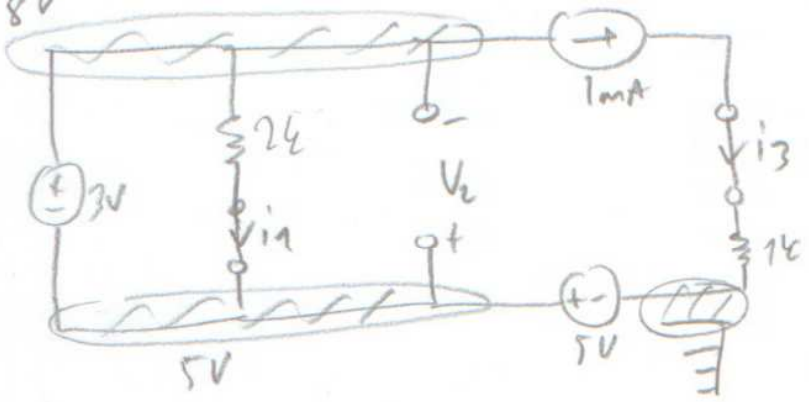
$D_1$  &  $D_2$ : OFF

$D_3$ : OFF

3- /



assume that  $D_1$ : ON,  $D_2$ : OFF,  $D_3$ : ON  
8V



$i_1, i_3 > 0$   
 $V_2 < 0$   
should satisfy

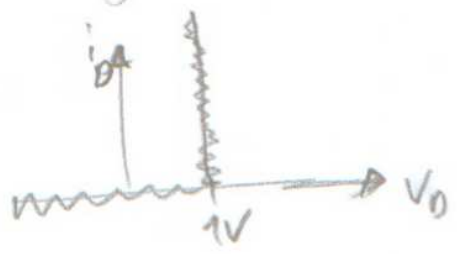
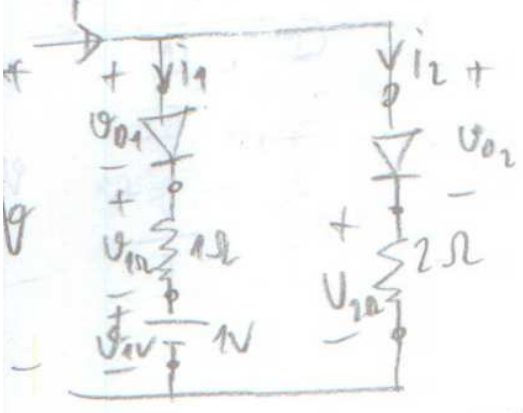
$$i_1 = \frac{8-5}{2} = 1.5 \text{ mA} > 0 \quad \checkmark$$

$$V_2 = 5-8 = -3 \text{ V} < 0 \quad \checkmark$$

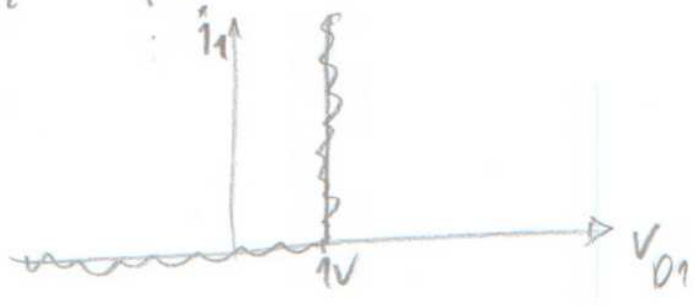
$$i_3 = 1 \text{ mA} > 0 \quad \checkmark$$

our assumption is correct

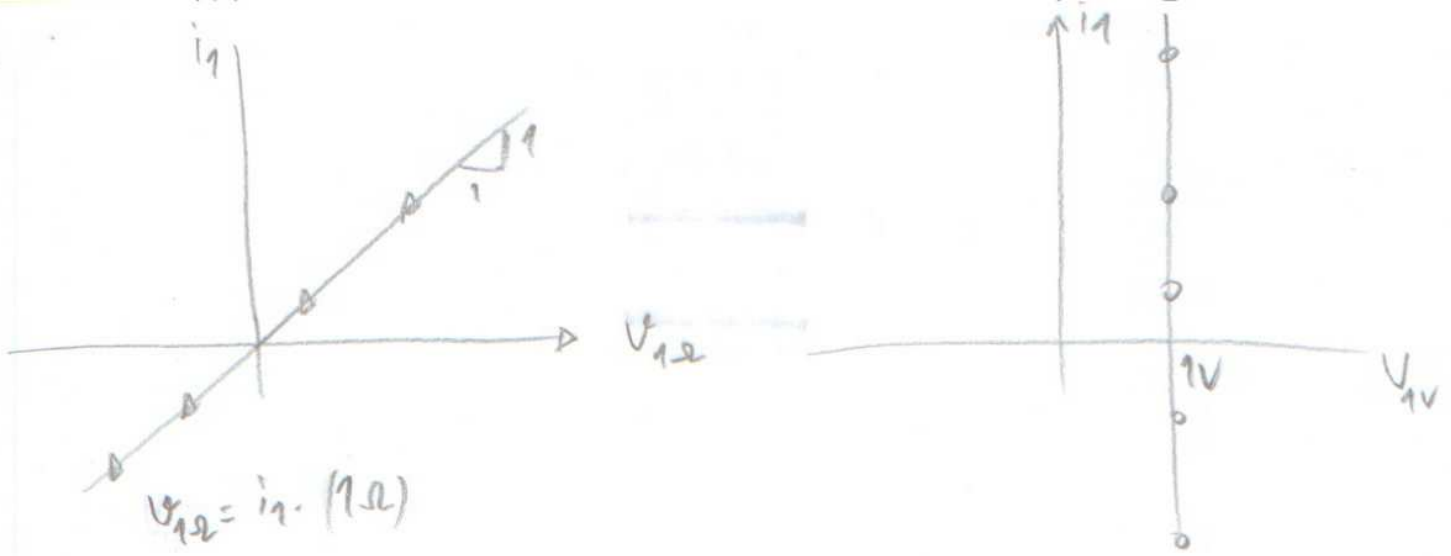
4- / for each diode:



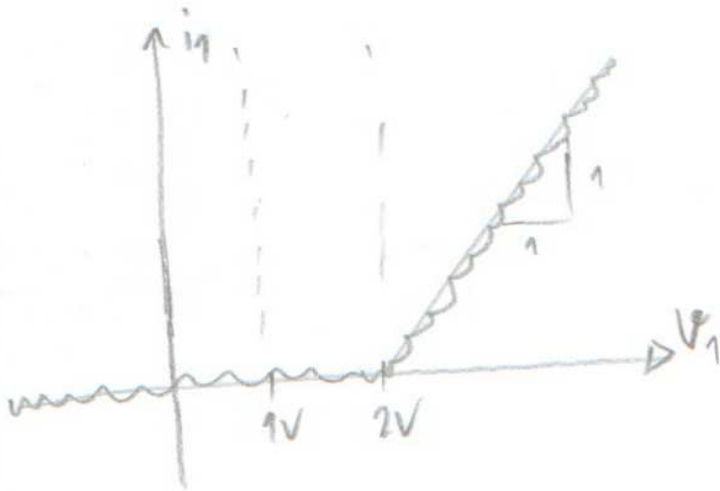
for branch ①:



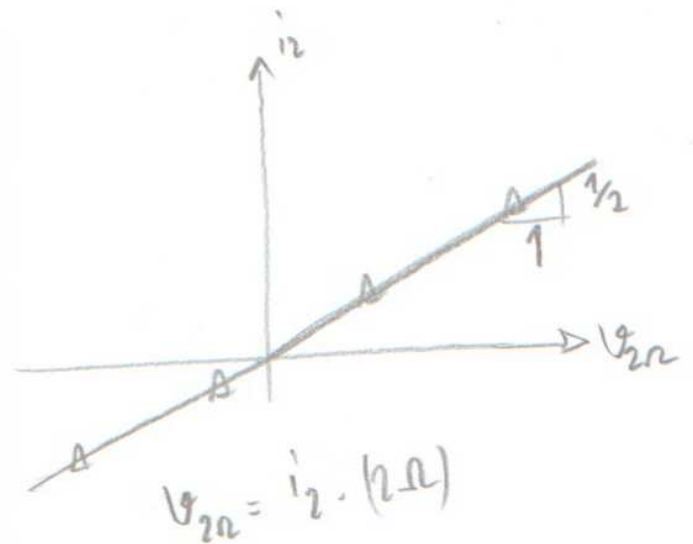
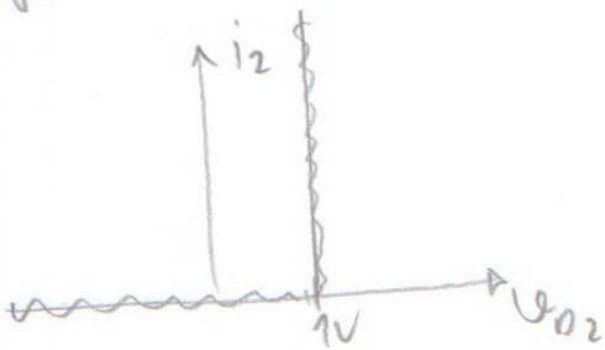




add  $V_{01}, V_{1\Omega}, V_{1V}$  for all  $i_1$  values st



for branch (2):



add  $V_{02}$  &  $V_{2\Omega}$

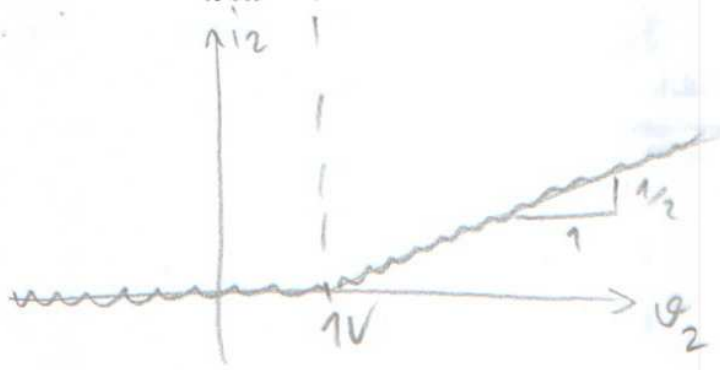
for all  $i_2$  values



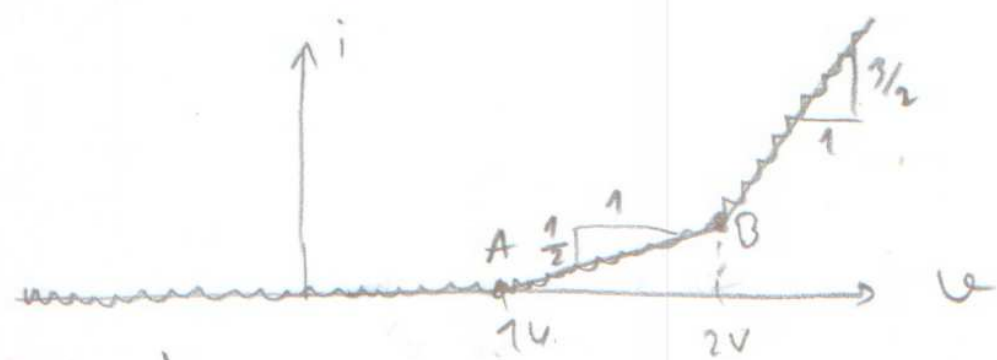
Now, we need to combine branch ① & ②.

$$V = V_1 = V_2$$

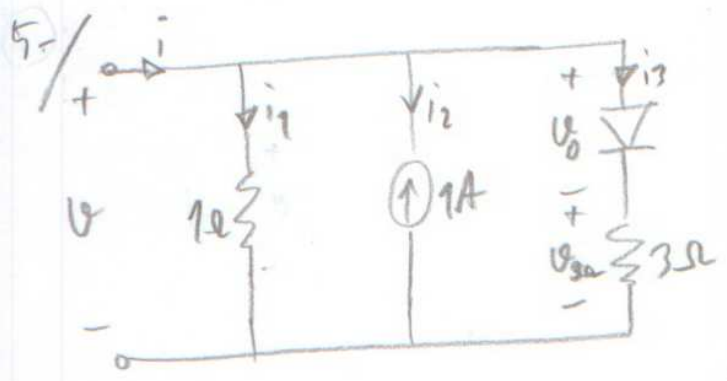
$$i = i_1 + i_2$$



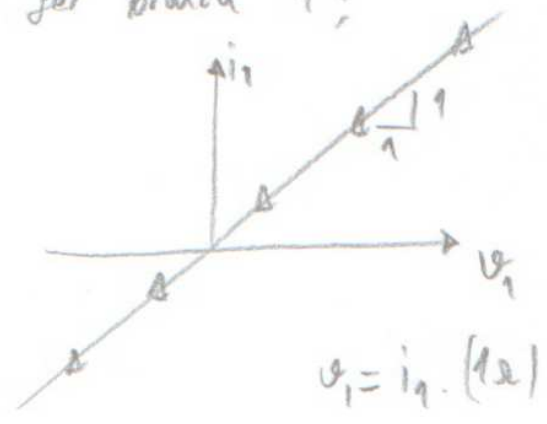
add  $i_1$  &  $i_2$  for each  $V = V_1 = V_2$  value. st;



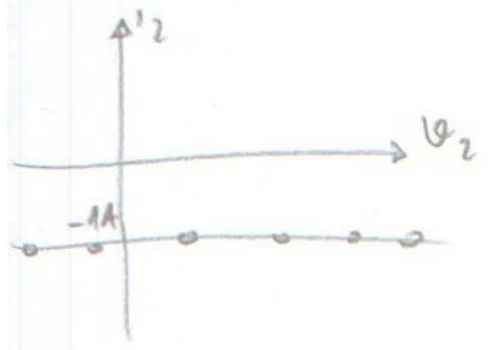
A(1, 0.5)  
B(2, 1.5)



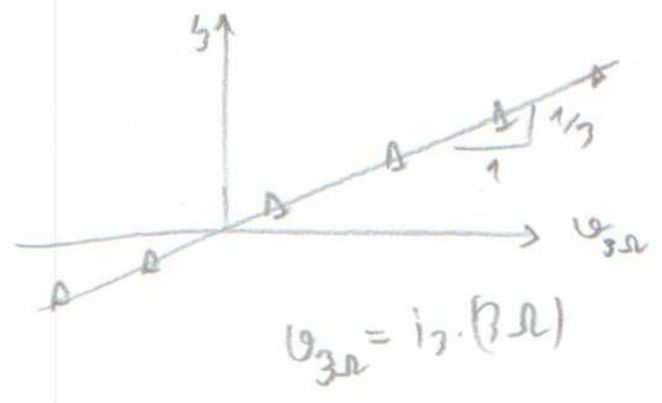
for branch 1;

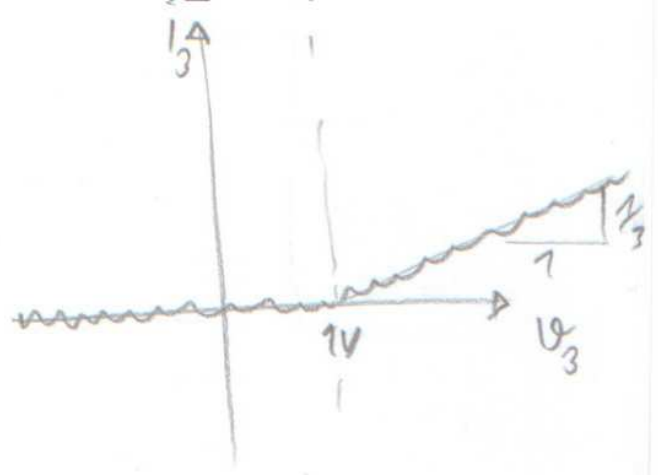
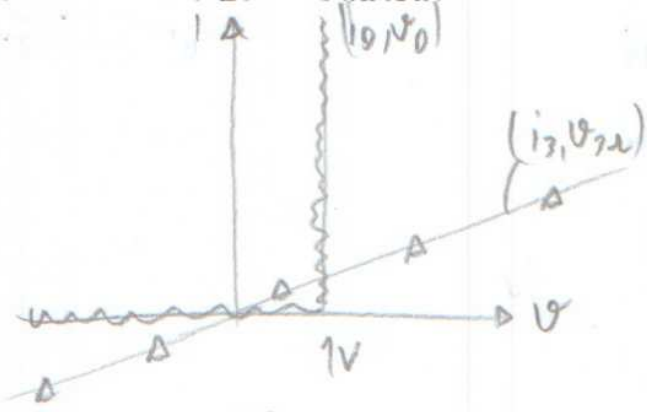


for branch 2;



for branch 3;

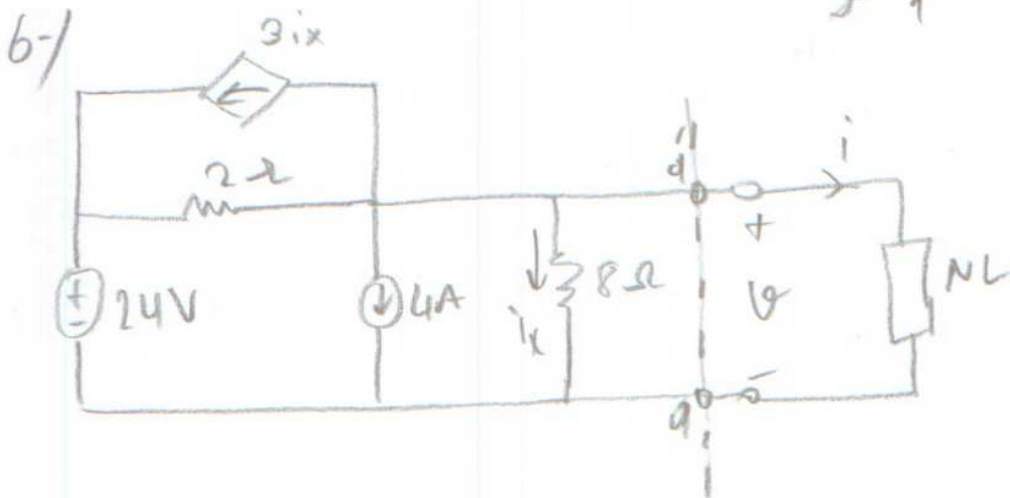
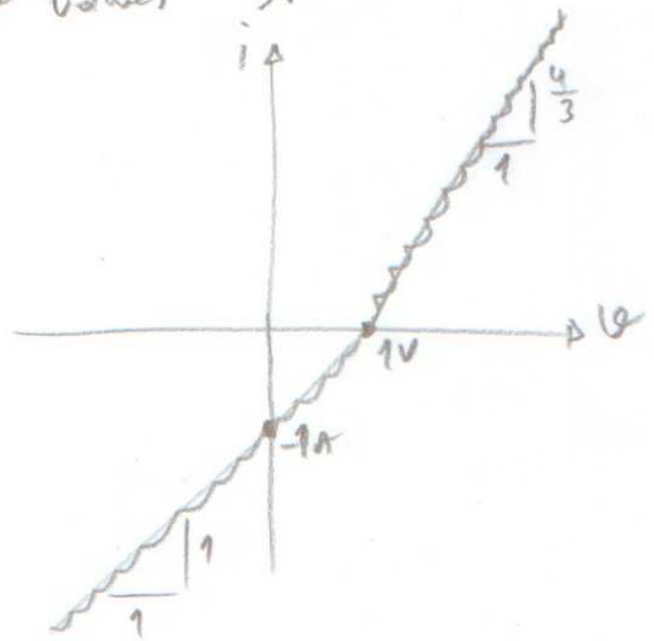
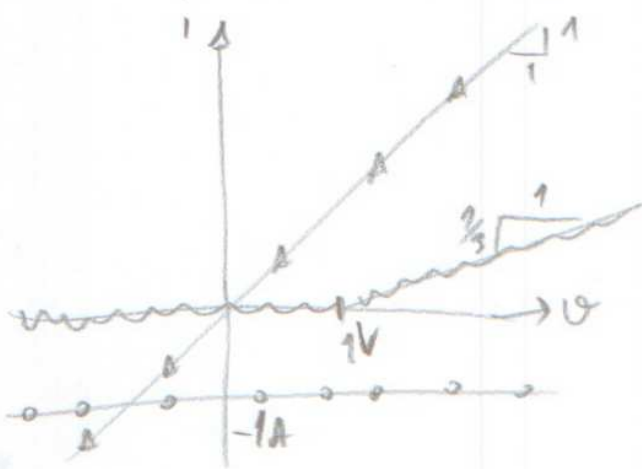




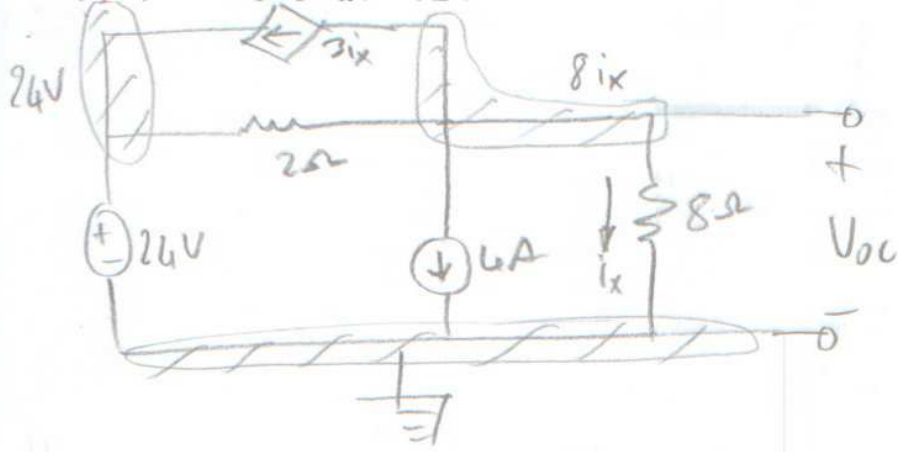
for each  $i$  value  
add  $v_0$  &  $v_{3a}$

for each branches  $v = v_1 = v_2 = v_3 ; i = i_1 + i_2 + i_3$

add  $i_1, i_2, i_3$  for all  $v$  values st



first, find the Norton equivalent of the left hand side of terminals  $a-a'$ .



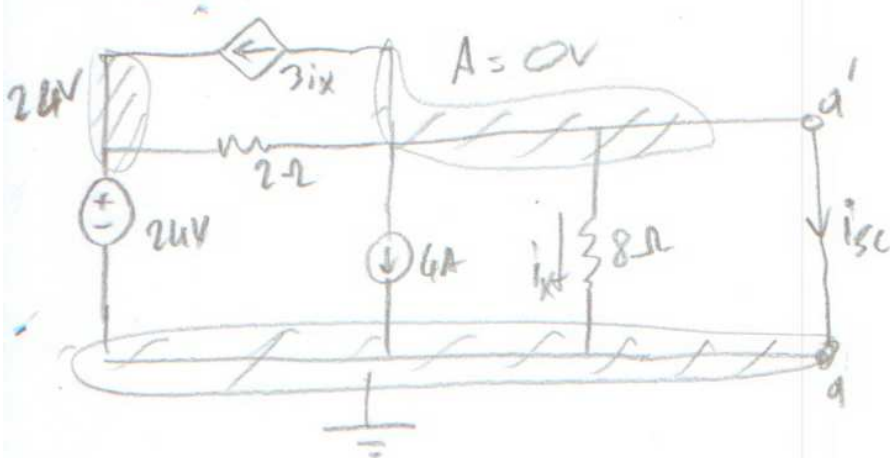
for node  $8ix$ , apply for KCL;

$$3i_x + \frac{8i_x - 24}{2} + 4 + i_x = 0$$

$$3i_x + 4i_x - 12 + 4 + i_x = 0 \rightarrow 8i_x = 8, i_x = 1A$$

$$V_{oc} = 8i_x - 0 = 8V$$

$$i_x = \frac{0}{8} = 0A$$

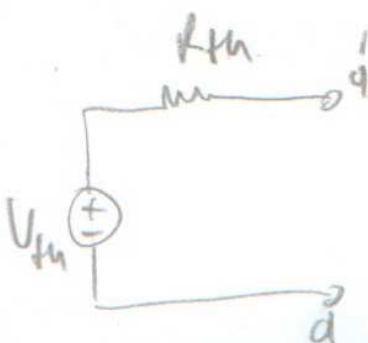


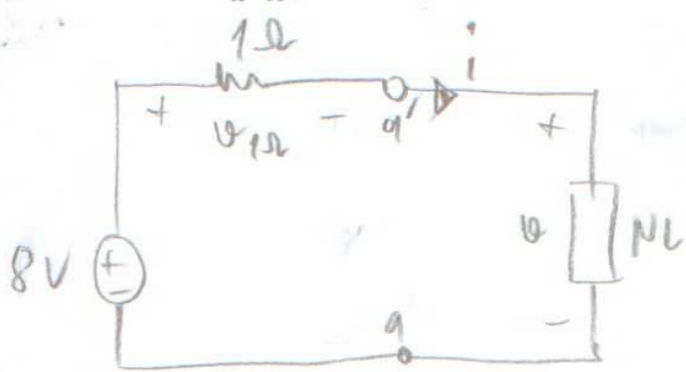
KCL for  $A = 0V$  node.

$$3i_x + \frac{0 - 24}{2} + 4 + i_x + i_{sc} = 0; i_{sc} = 12 - 4 = 8A$$

$$V_{th} = V_{oc} = 8V$$

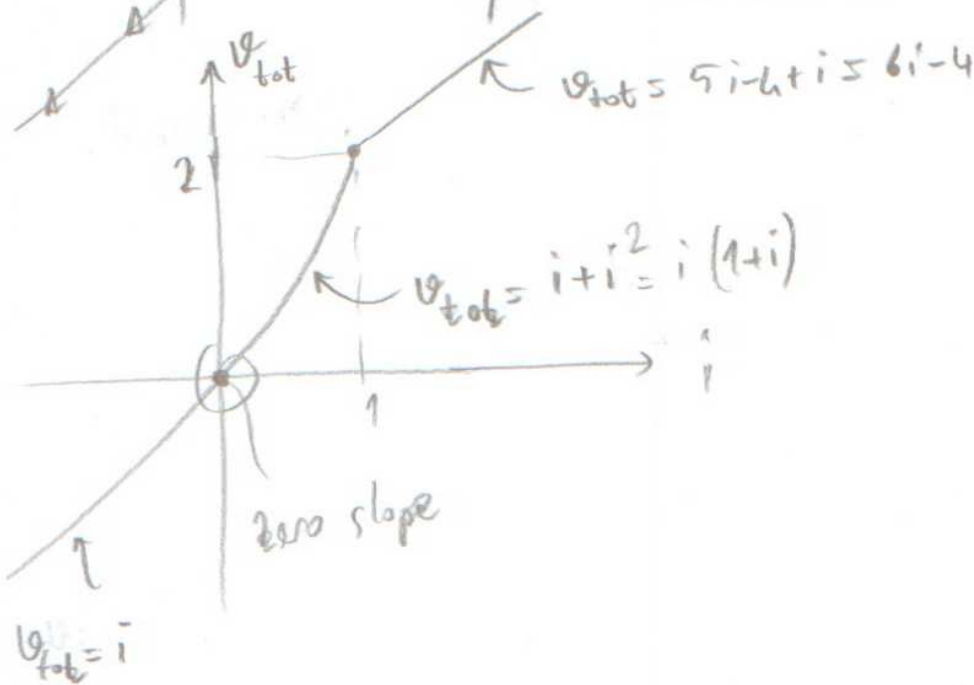
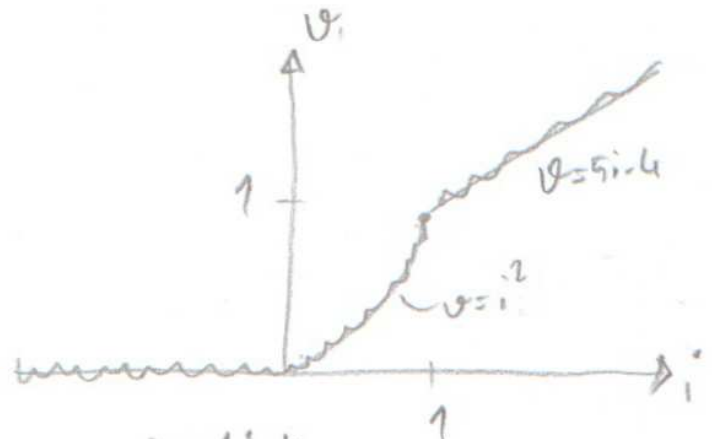
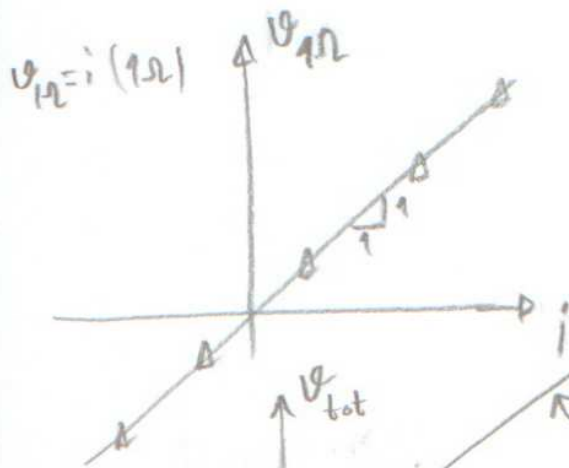
$$R_{th} = \frac{V_{oc}}{i_{sc}} = 1\Omega$$





$$v_{1\Omega} + v - 8 = 0$$

$$v_{tot} = v_{1\Omega} + v = 8$$



at  $v_{tot} = 8V$ ,  $v_{tot} = 5i - 4$  line is valid,

$$8V = 5i - 4 \rightarrow i = 2A$$

for  $i = 2A$   $v = 5i - 4$ ,  $v = 6V$